

An Introduction to Mildly Context-Sensitive Grammar Formalisms

— *Minimalist Grammars / Example* —

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MG-example 2

(α_0) =t.c.*that*

(α_5) v.*laugh*

(α_1) =t.+wh.c.Ø

(α_6) =n.d.-k.*the*

(α_2) =v.+k.t.Ø

(α_7) =n.d.-k.-wh.*which*

(α_3) =v.=d.v.Ø

(α_8) n.*king*

(α_4) =d.+k.v.*eat*

(α_9) n.*pie*

MG-example 2

(α_7) =n.d.-k.-wh.*which*

(α_9) n.*pie*

MG-example 2

(α_7) =n.d.-k.-wh.*which*

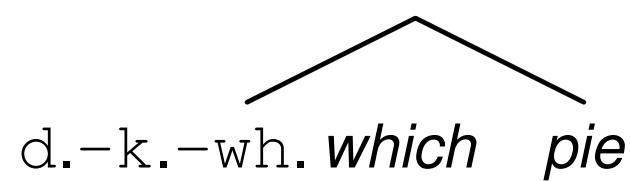
(α_9) n.*pie*

MG-example 2

(α_7) =n.d.-k.-wh.*which*

(α_9) n.*pie*

(γ_1) merge(α_7, α_9)



MG-example 2

(γ_1) merge(α_7, α_9)

<

d.-k.-wh. *which pie*

MG-example 2

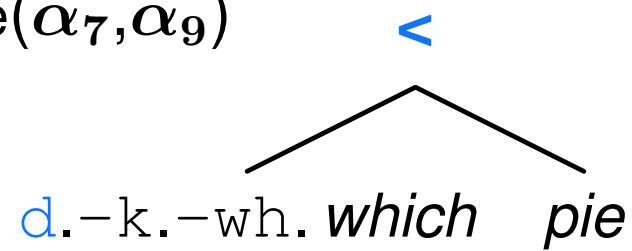
(γ_1) merge(α_7, α_9)

<

d.-k.-wh. *which pie*

MG-example 2

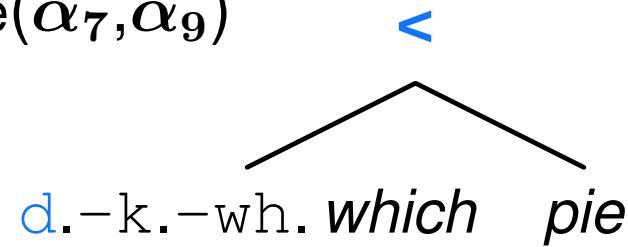
(γ_1) merge(α_7, α_9)



(α_4) =d.+k.v.eat

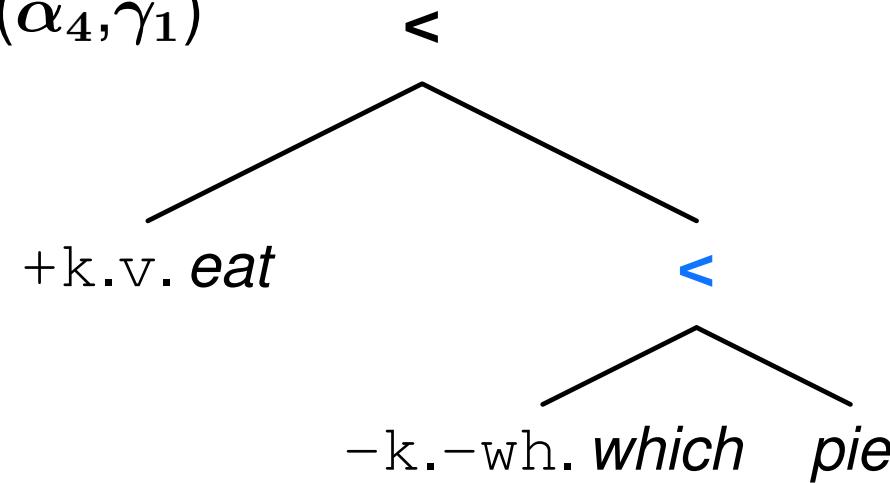
MG-example 2

(γ_1) $\text{merge}(\alpha_7, \alpha_9)$



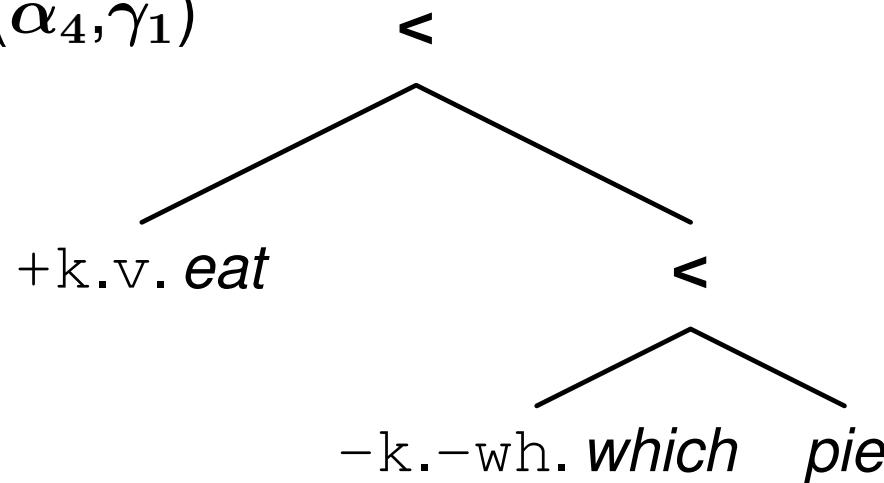
(α_4) $=\text{d}.+\text{k.v.eat}$

(γ_2) $\text{merge}(\alpha_4, \gamma_1)$



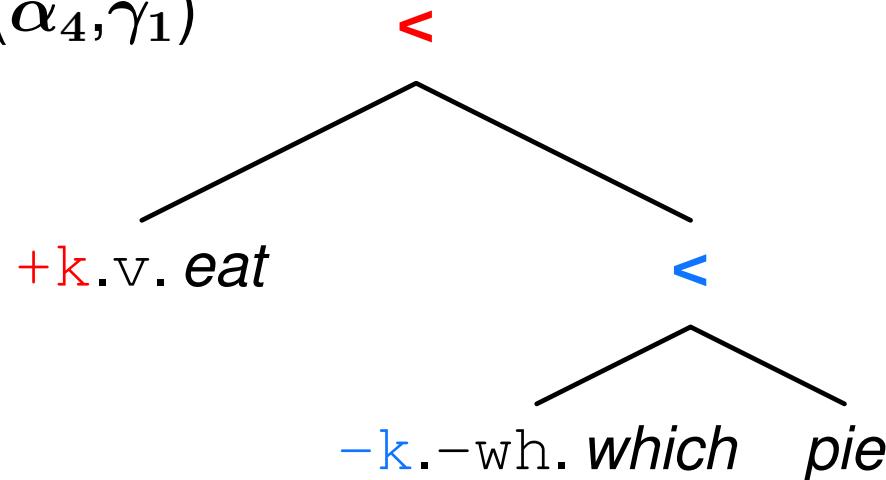
MG-example 2

(γ_2) merge(α_4, γ_1)



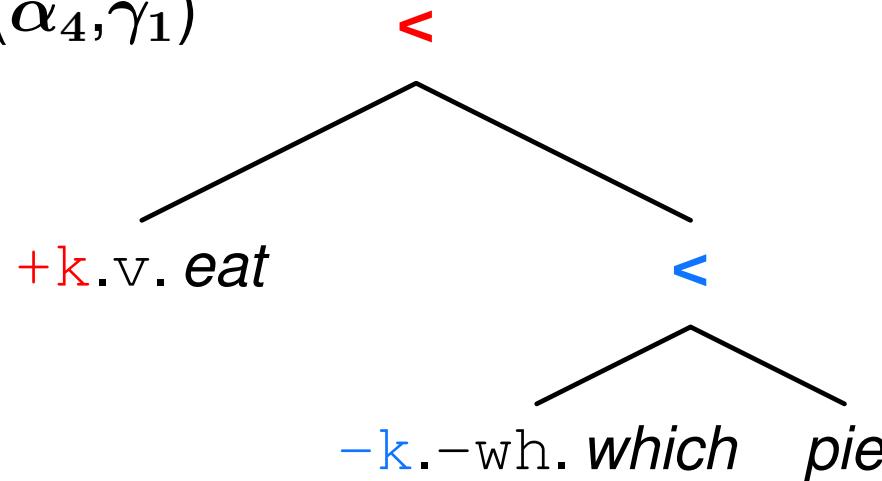
MG-example 2

$(\gamma_2) \quad \text{merge}(\alpha_4, \gamma_1)$

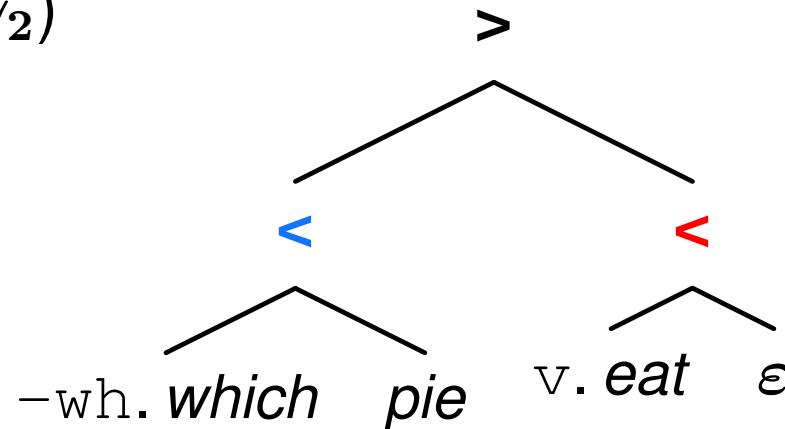


MG-example 2

(γ_2) merge(α_4, γ_1)

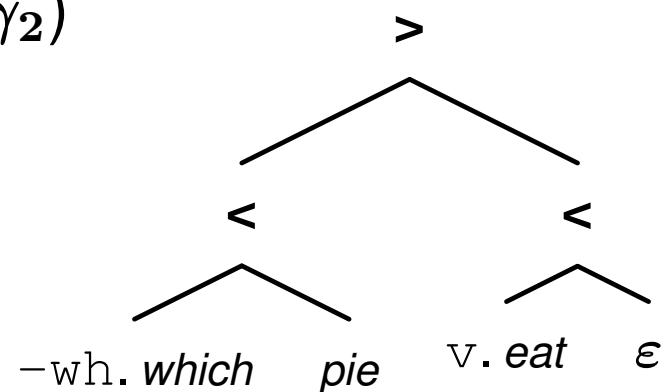


(γ_3) move(γ_2)



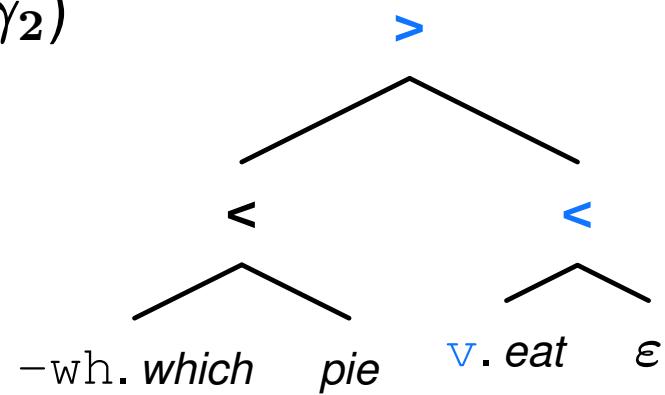
MG-example 2

$(\gamma_3) \quad \text{move}(\gamma_2)$



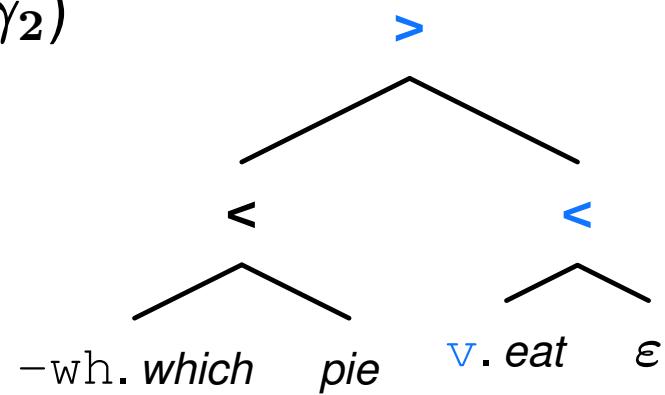
MG-example 2

$(\gamma_3) \quad \text{move}(\gamma_2)$



MG-example 2

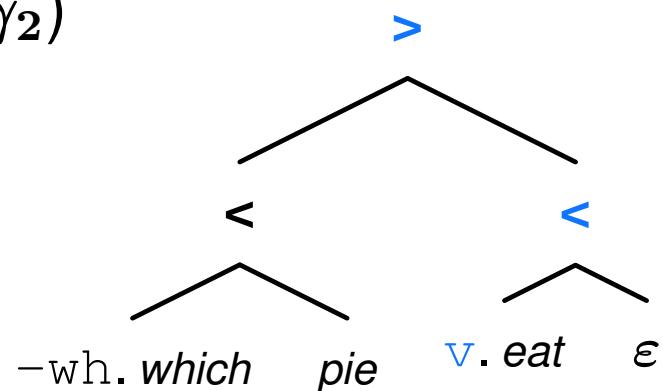
(γ_3) move(γ_2)



(α_3) =v.=d. \tilde{v} . \emptyset

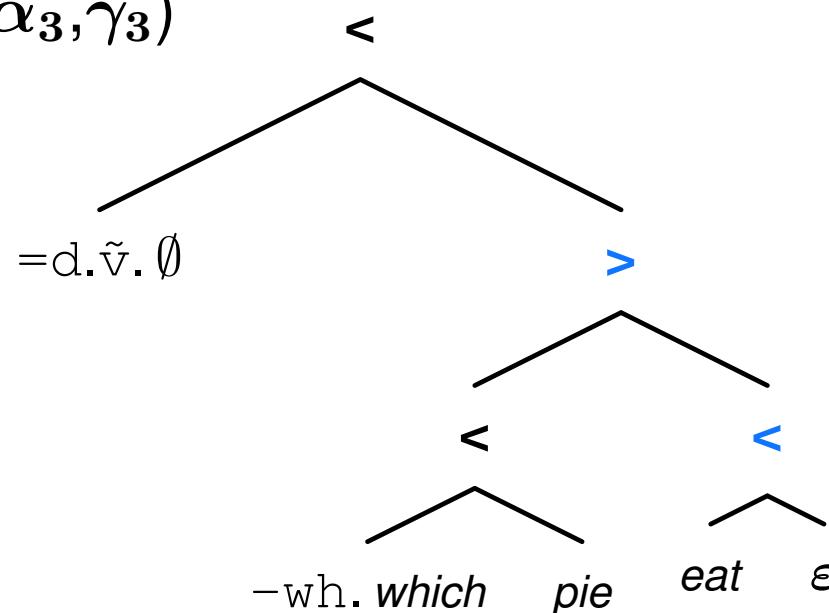
MG-example 2

(γ_3) move(γ_2)



(α_3) =v.=d.~v. \emptyset

(γ_4) merge(α_3, γ_3)



MG-example 2

(α_6) =n.d.-k. *the*

(α_8) n. *king*

MG-example 2

(α_6) =n.d.-k. *the*

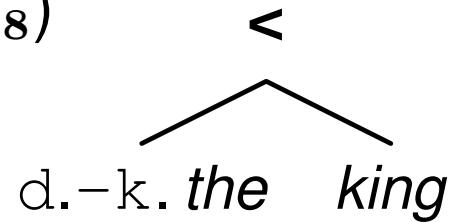
(α_8) n. *king*

MG-example 2

(α_6) $=n.d.-k.\ the$

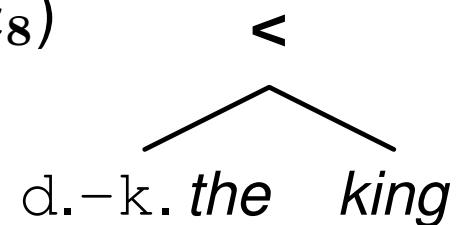
(α_8) $n.\ king$

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$



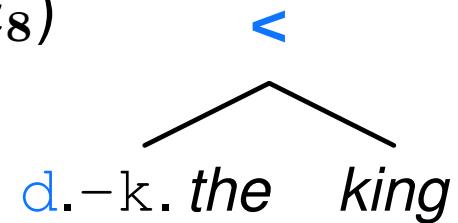
MG-example 2

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$



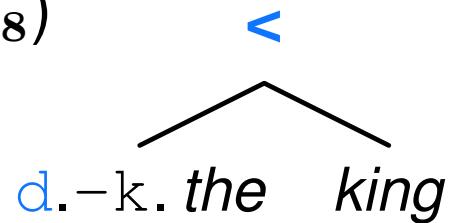
MG-example 2

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$

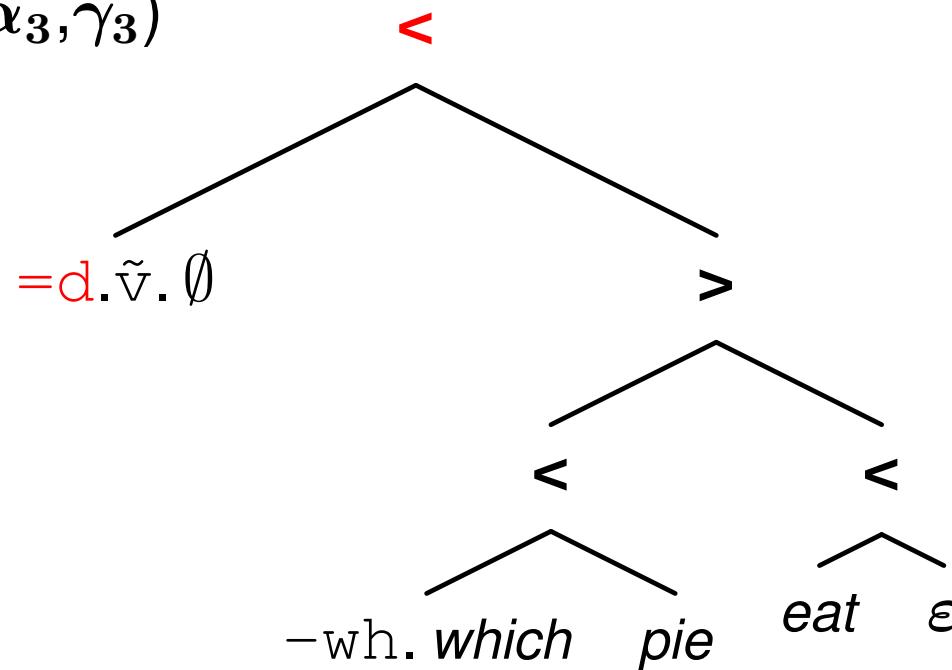


MG-example 2

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$

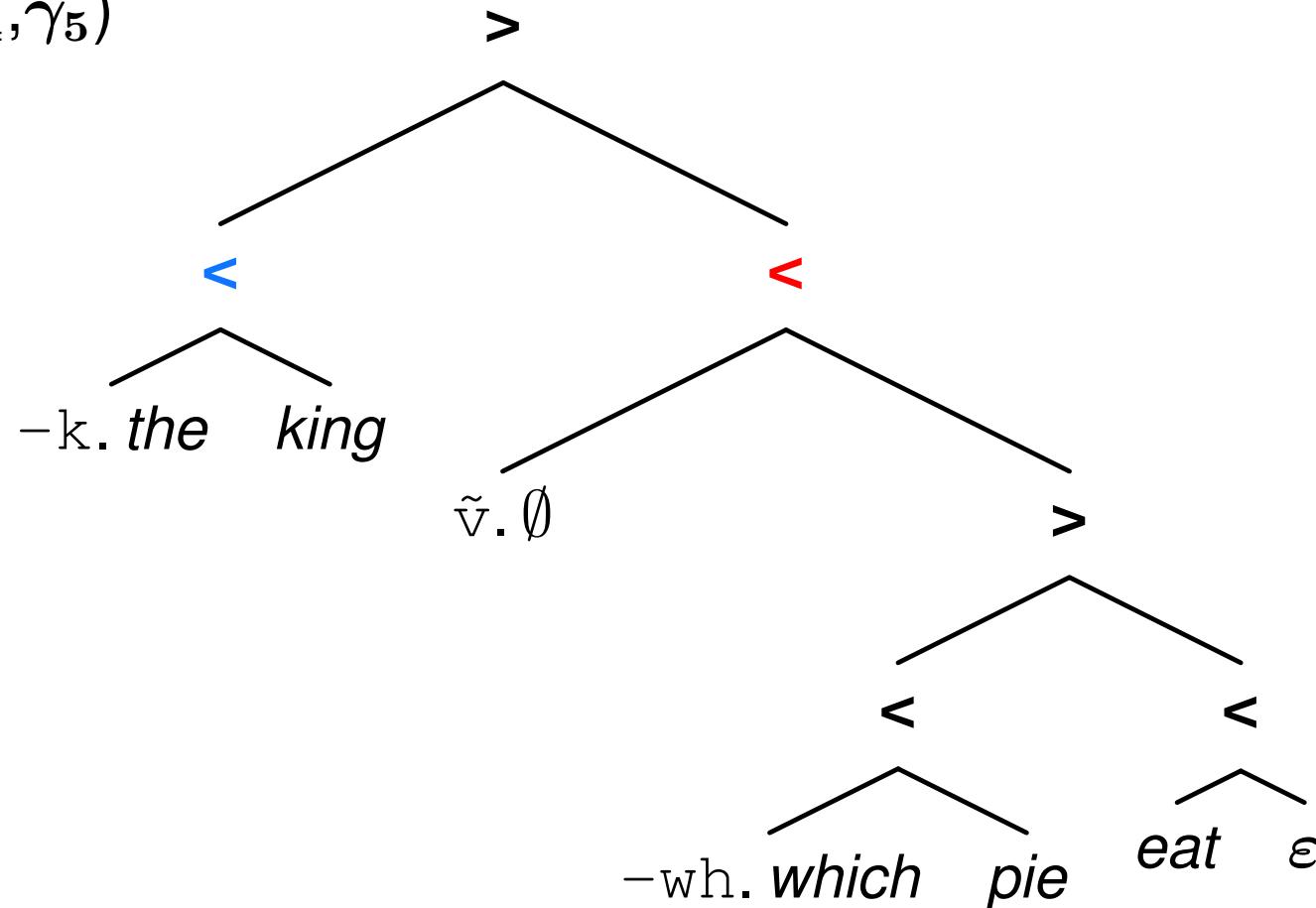


(γ_4) $\text{merge}(\alpha_3, \gamma_3)$



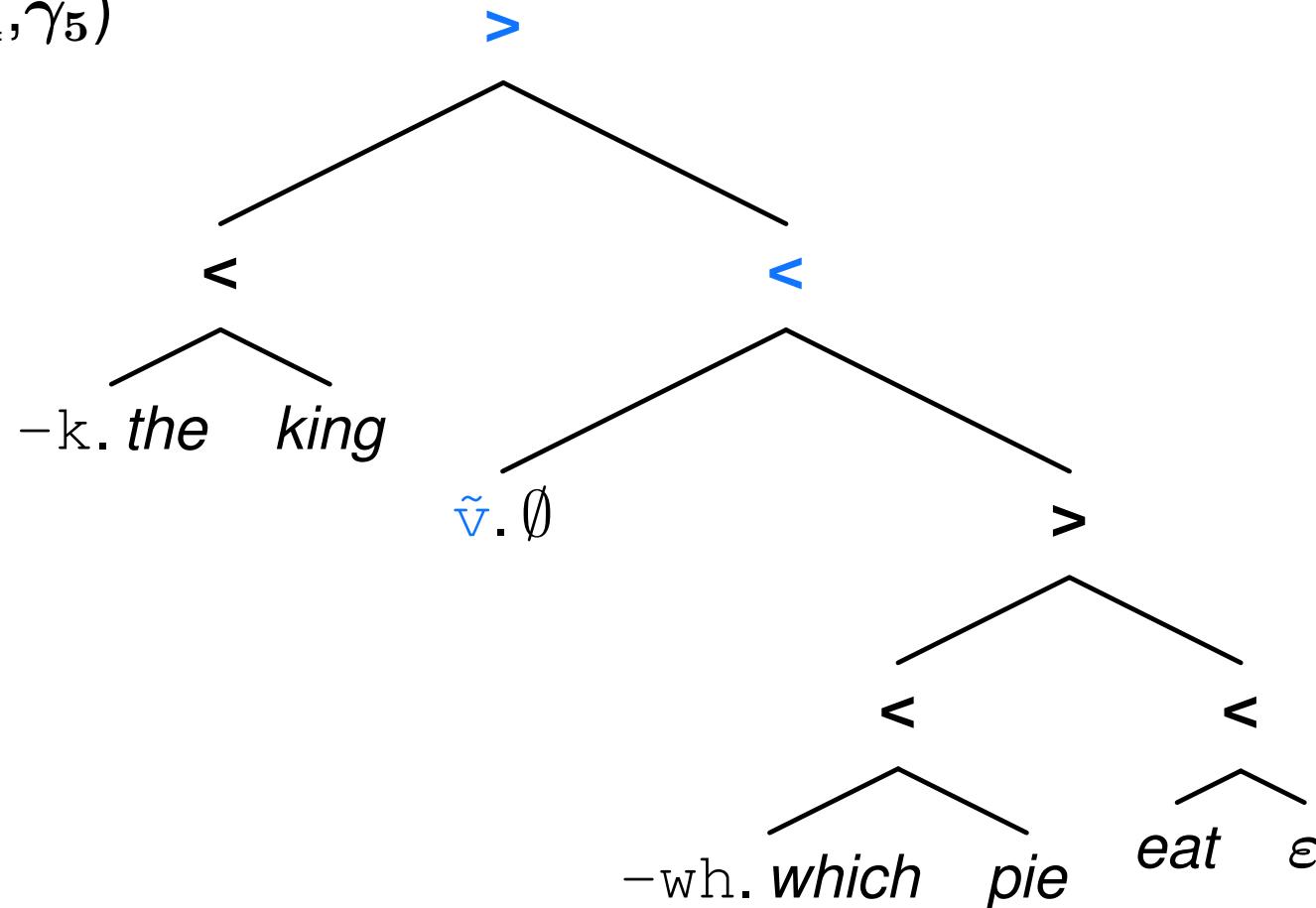
MG-example 2

(γ_6) $\text{merge}(\gamma_4, \gamma_5)$



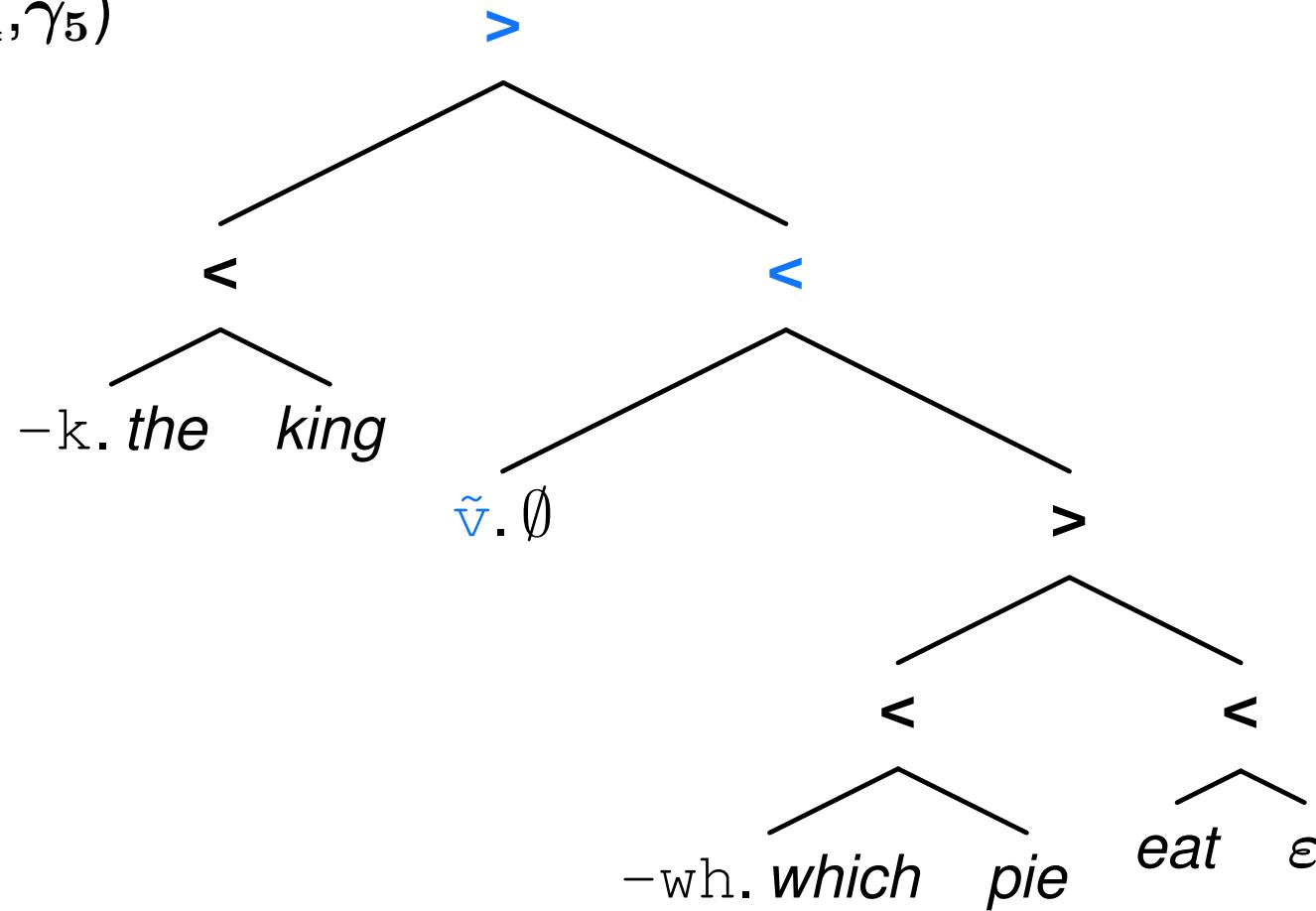
MG-example 2

(γ_6) $\text{merge}(\gamma_4, \gamma_5)$



MG-example 2

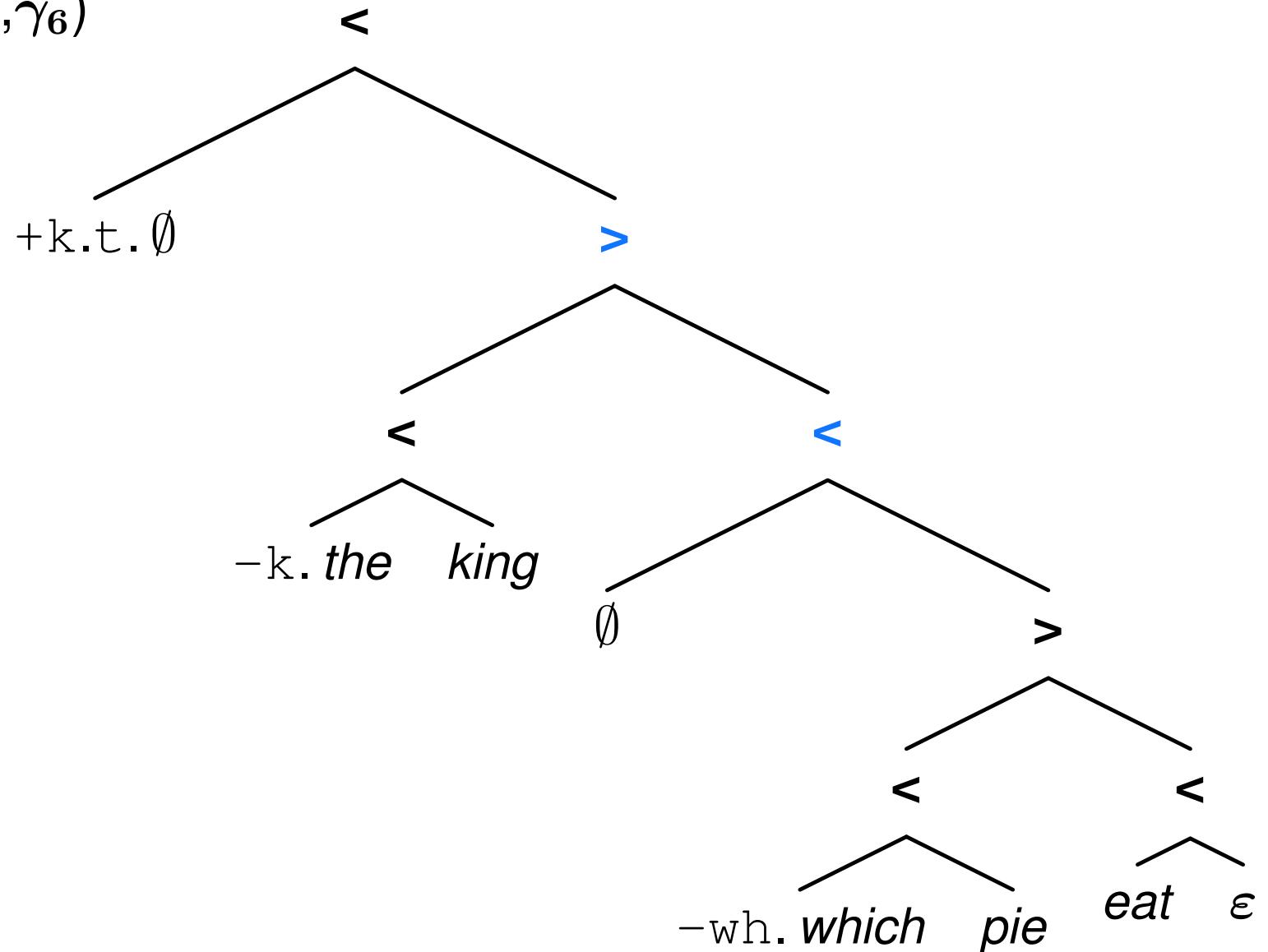
(γ_6) $\text{merge}(\gamma_4, \gamma_5)$



(α_2) $=\tilde{v}.+k.t.\emptyset$

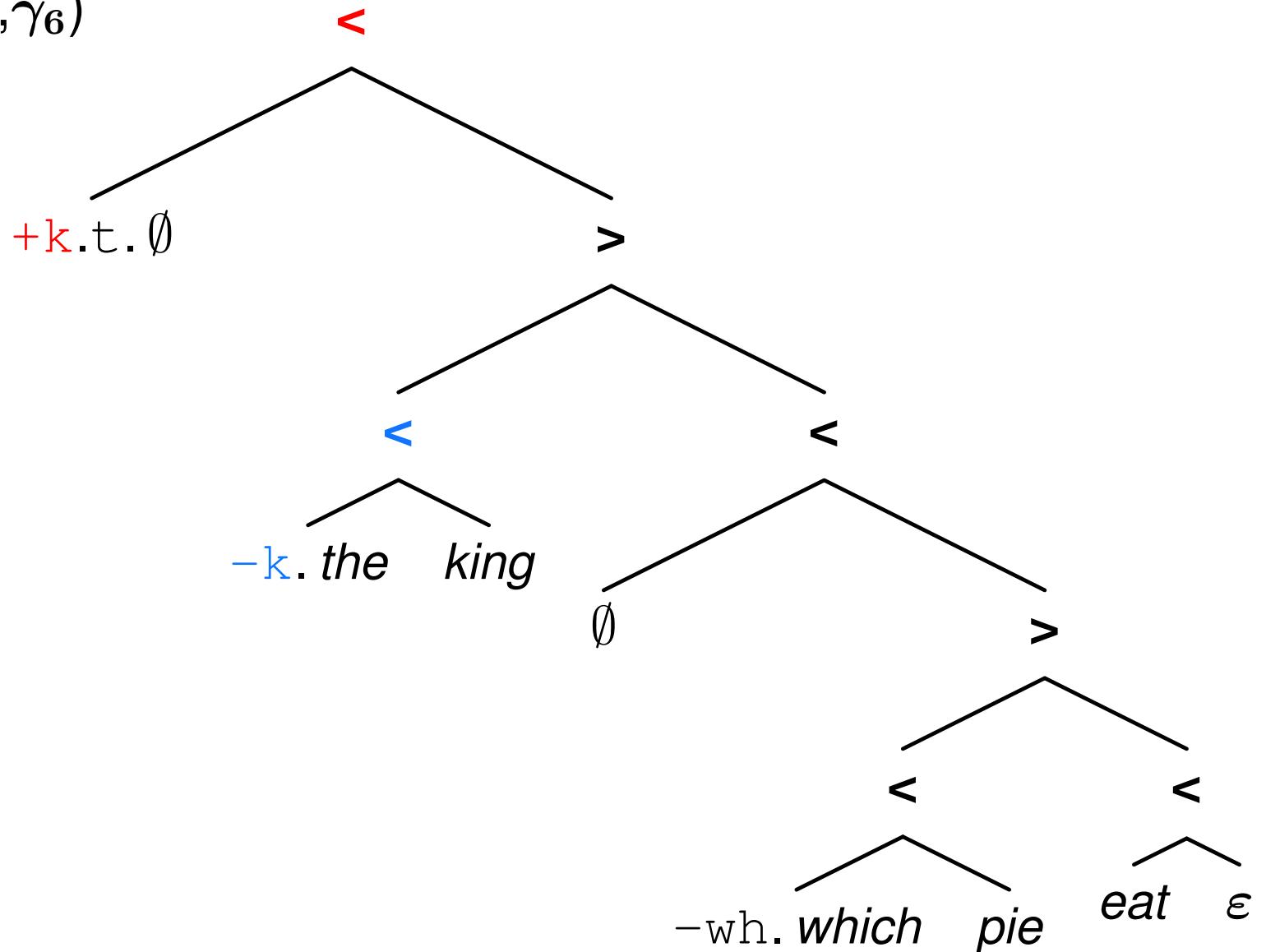
MG-example 2

(γ_7) $\text{merge}(\alpha_2, \gamma_6)$



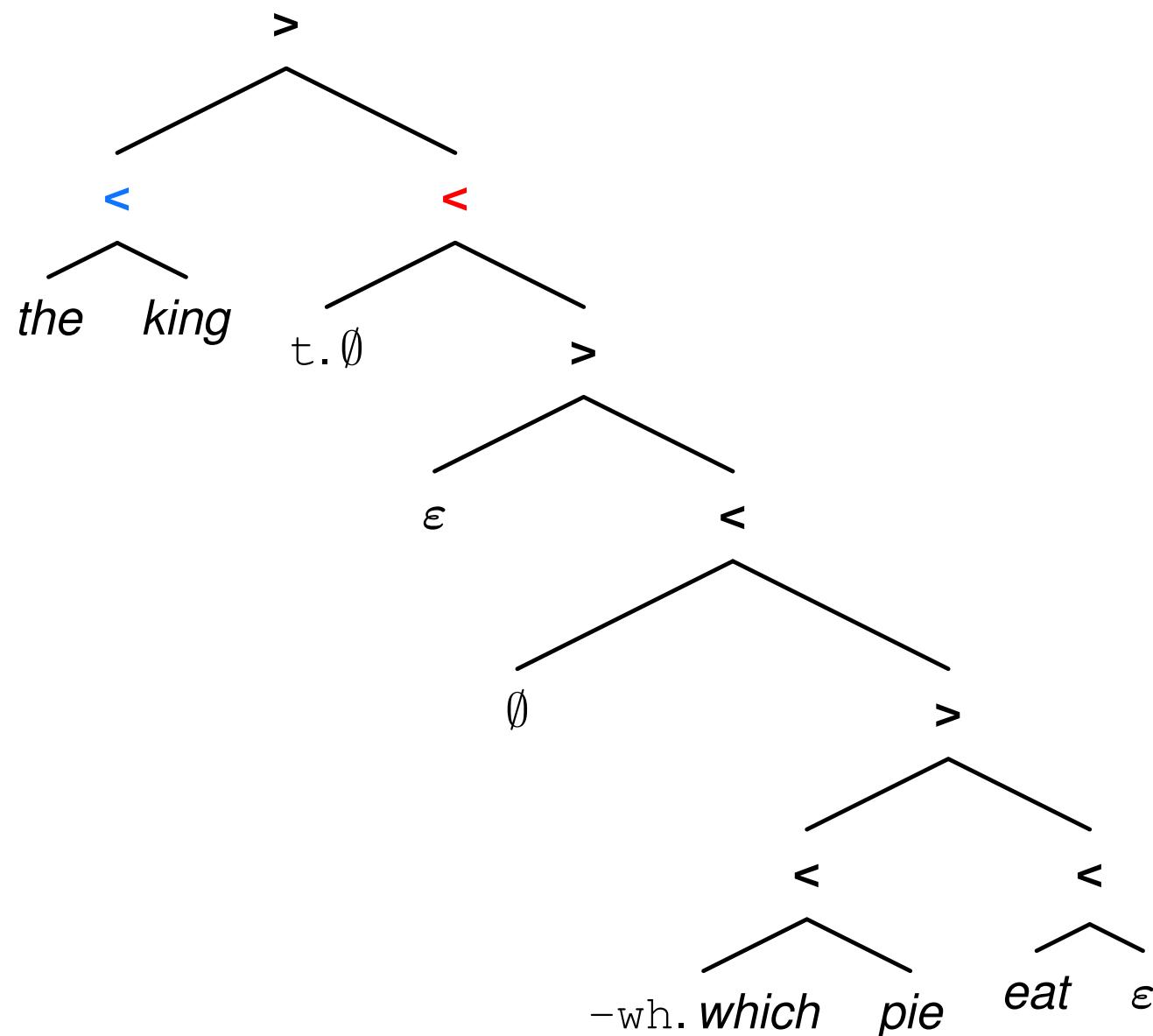
MG-example 2

(γ_7) $\text{merge}(\alpha_2, \gamma_6)$



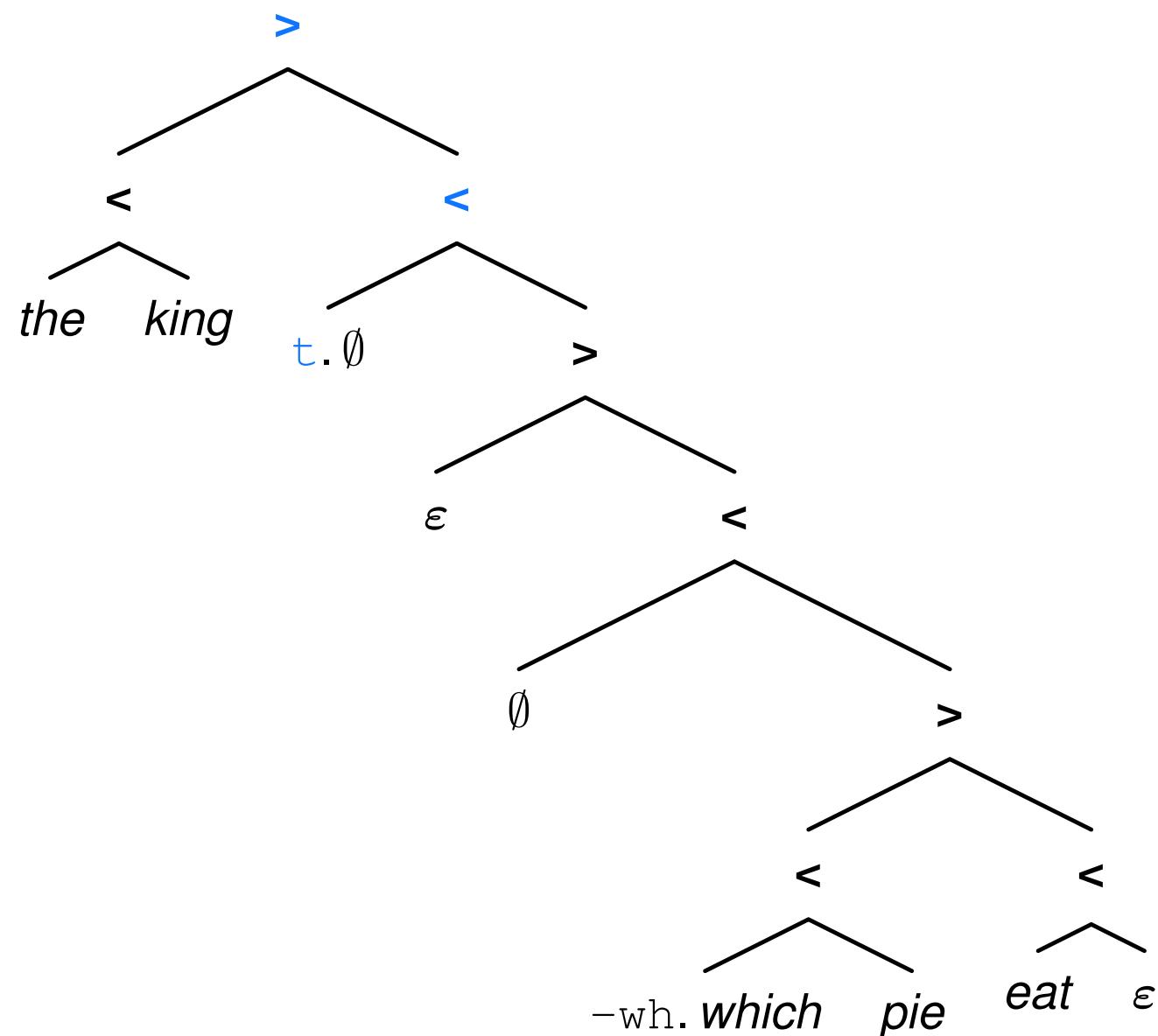
MG-example 2

$(\gamma_8) \quad \text{move}(\gamma_7)$



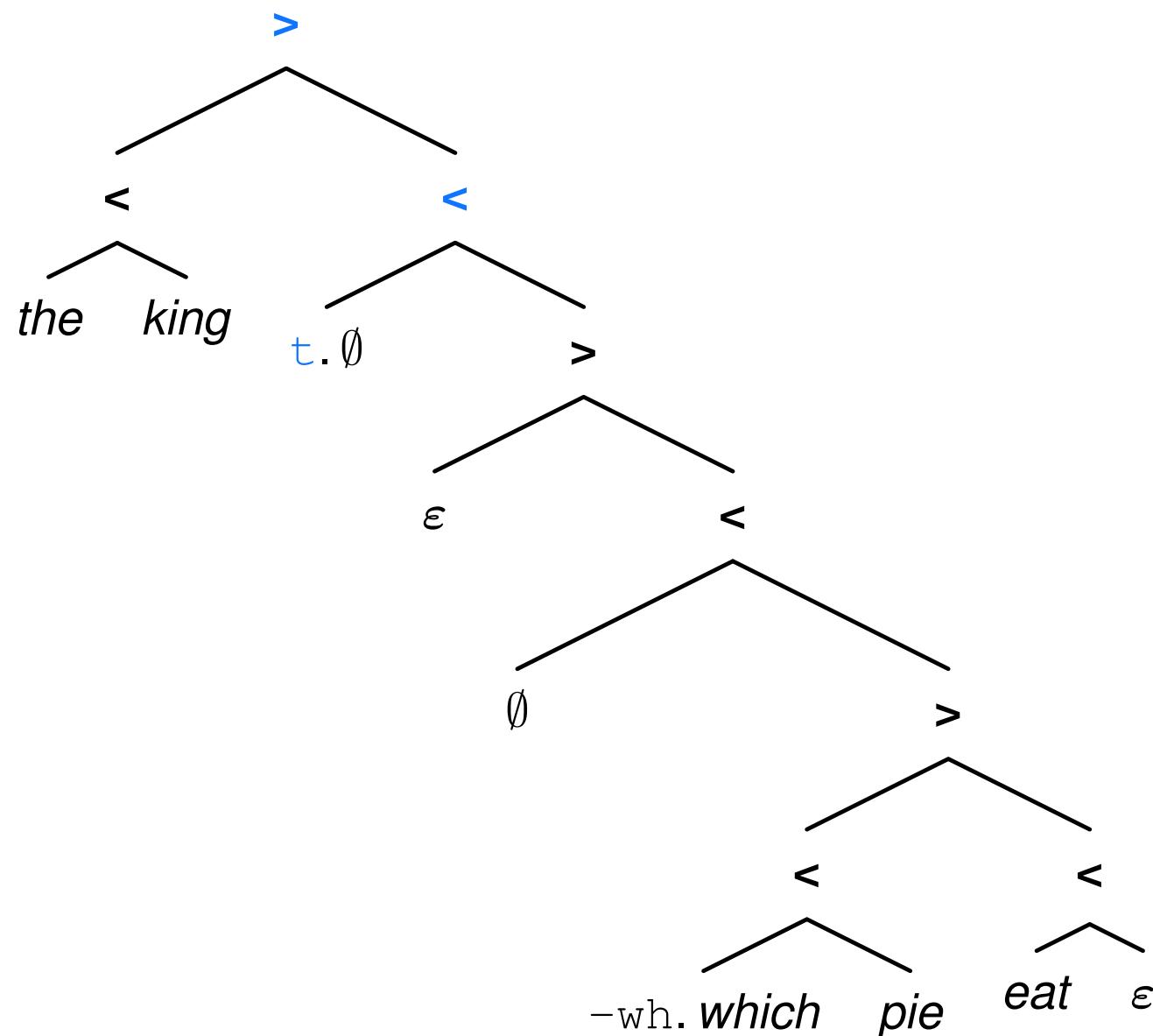
MG-example 2

(γ_8) move(γ_7)



MG-example 2

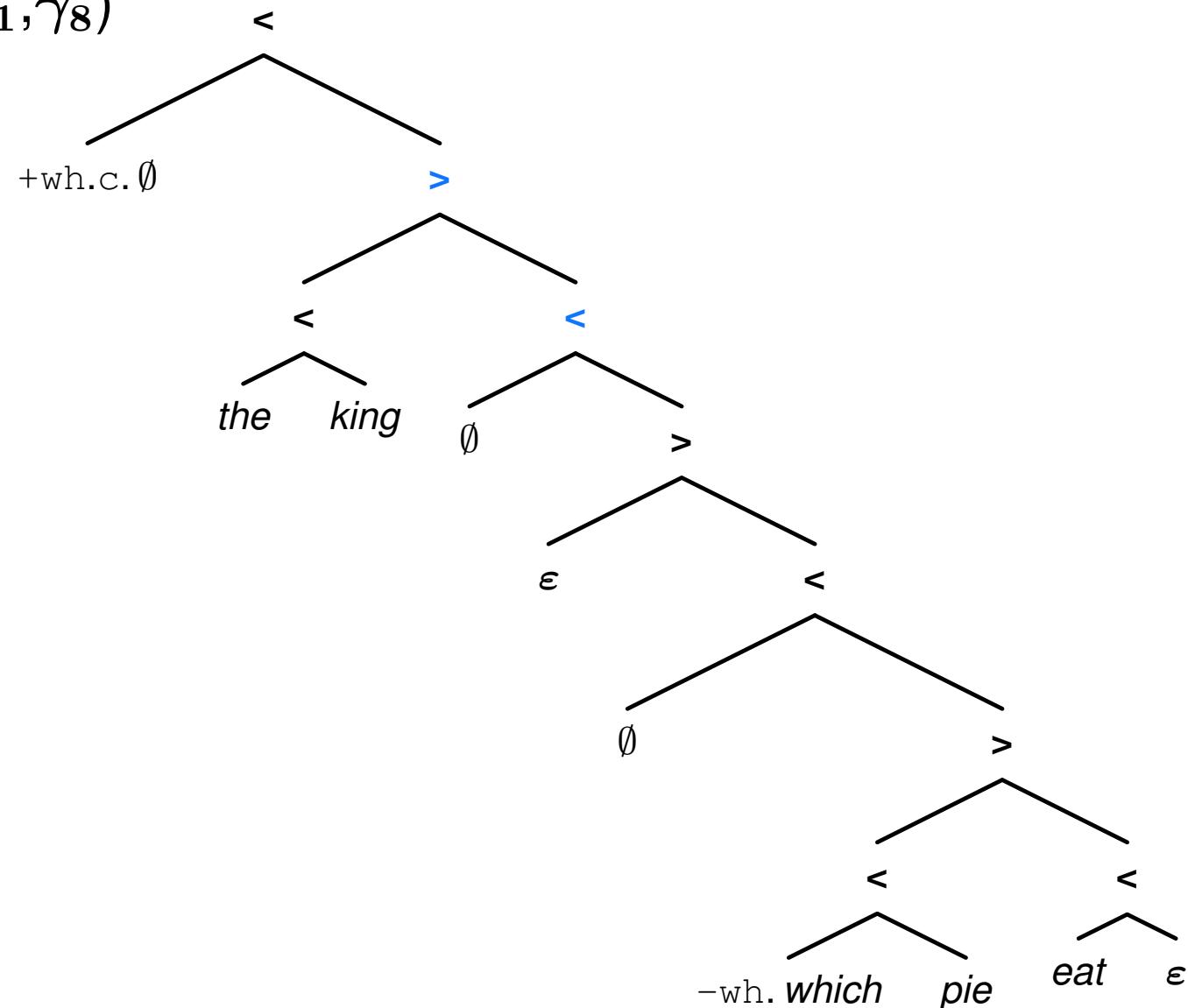
(γ_8) move(γ_7)



(α_1) =t.+wh.c. \emptyset

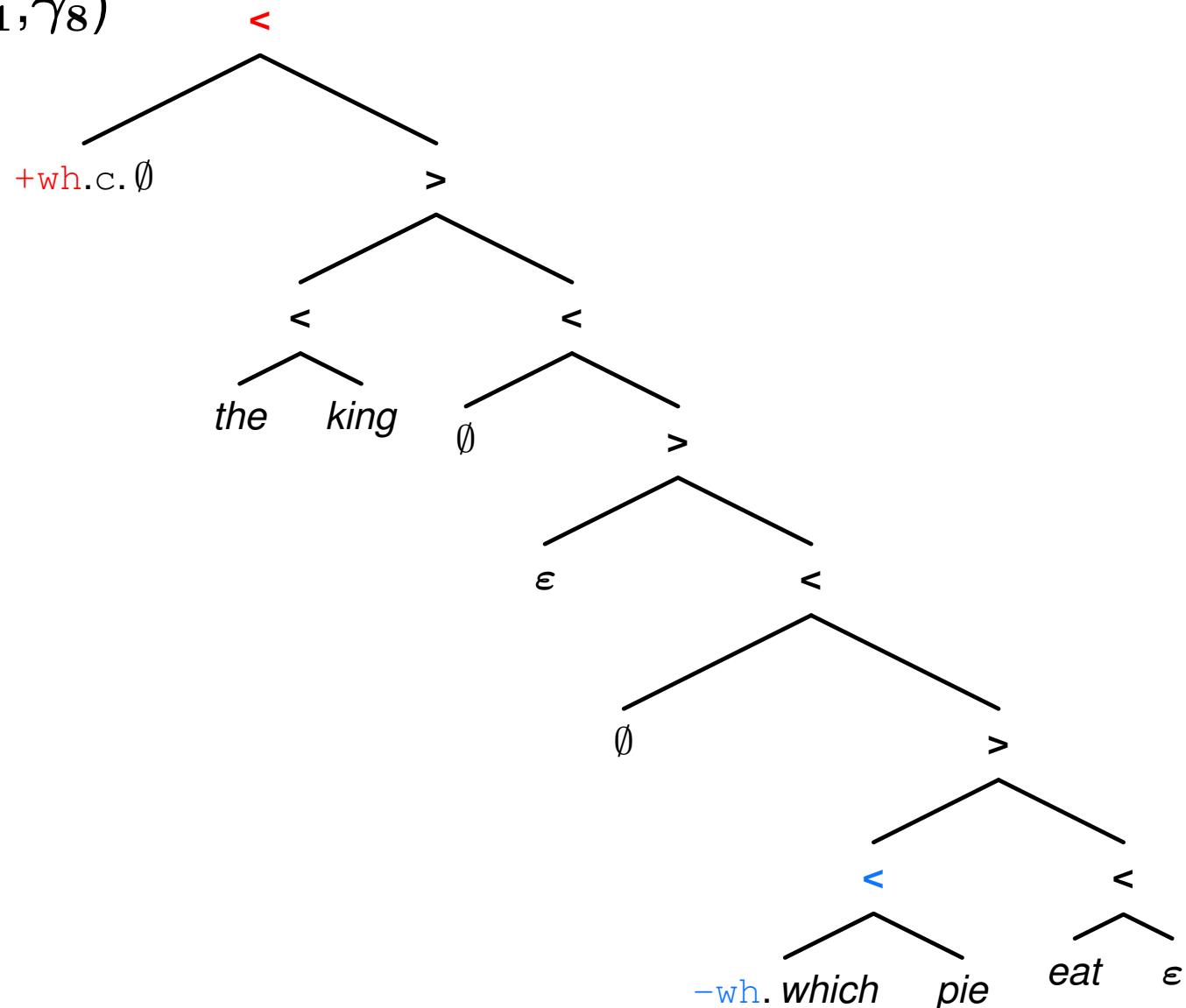
MG-example 2

(γ_9) $\text{merge}(\alpha_1, \gamma_8)$



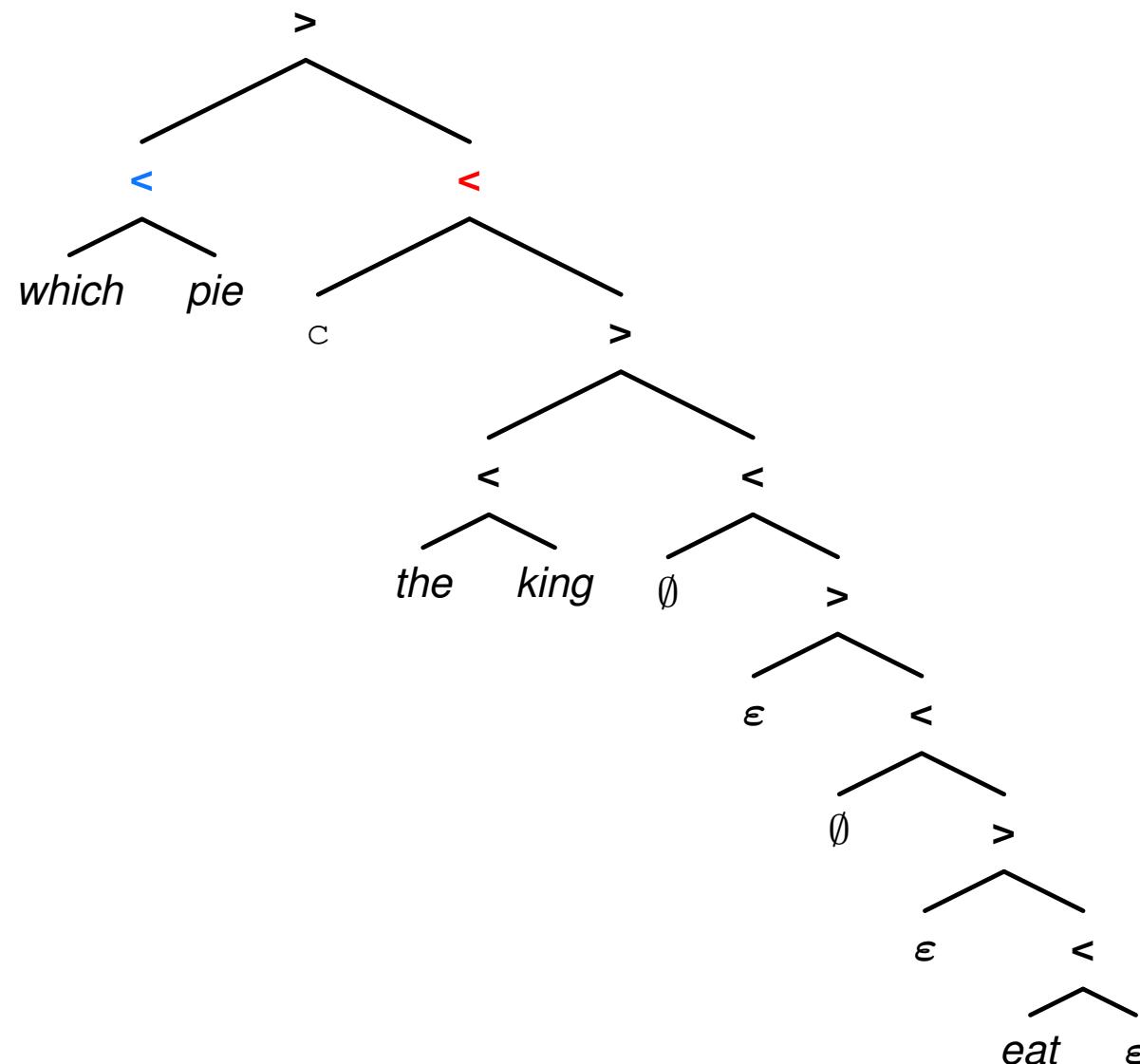
MG-example 2

$(\gamma_9) \quad \text{merge}(\alpha_1, \gamma_8)$



MG-example 2

(γ_{10}) move(γ_9)



MG-example 2

(α_0) =t.c.*that*

(α_5) v.*laugh*

(α_1) =t.+wh.c.Ø

(α_6) =n.d.-k.*the*

(α_2) =v.+k.t.Ø

(α_7) =n.d.-k.-wh.*which*

(α_3) =v.=d.v.Ø

(α_8) n.*king*

(α_4) =d.+k.v.*eat*

(α_9) n.*pie*

MG-example 2

(α_7) =n.d.-k.-wh.*which*

(α_9) n.*pie*

MG-example 2

(α_7) $=\text{n.d.-k.-wh.} \text{which}$ $<=\text{n.d.-k.-wh, --, --, sim}>$

(α_9) $\text{n.} \text{pie}$ $<\text{n, --, --, sim}>$

MG-example 2

(α_7) $=n.d.-k.-\text{wh.} \textit{which}$ $< =n.d.-k.-\text{wh}, \text{---}, \text{---}, \text{sim} >$

(α_9) $n.\textit{pie}$ $< n, \text{---}, \text{---}, \text{sim} >$

(γ_1) $\text{merge}(\alpha_7, \alpha_9)$ $< d.-k.-\text{wh}, \text{---}, \text{---}, \text{com} >$

```
graph TD; Root["<"] --- Node1["d.-k.-\text{wh.}"]; Node1 --- Node2["\textit{which pie}"]
```

MG-example 2

$(\gamma_1) \quad \text{merge}(\alpha_7, \alpha_9)$

<

d.-k.-wh. *which pie*

< d.-k.-wh , — , — , com >

MG-example 2

$(\gamma_1) \quad \text{merge}(\alpha_7, \alpha_9)$

<

< d.-k.-wh , — , — , com >

d.-k.-wh. *which pie*

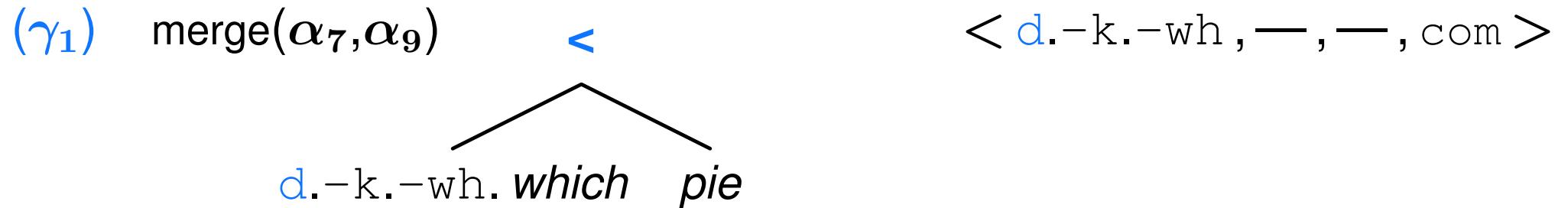
MG-example 2

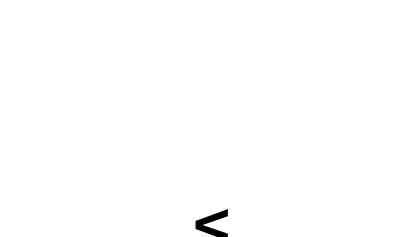
(γ_1) merge(α_7, α_9)  < d.-k.-wh , — , — , com >

d.-k.-wh. *which pie*

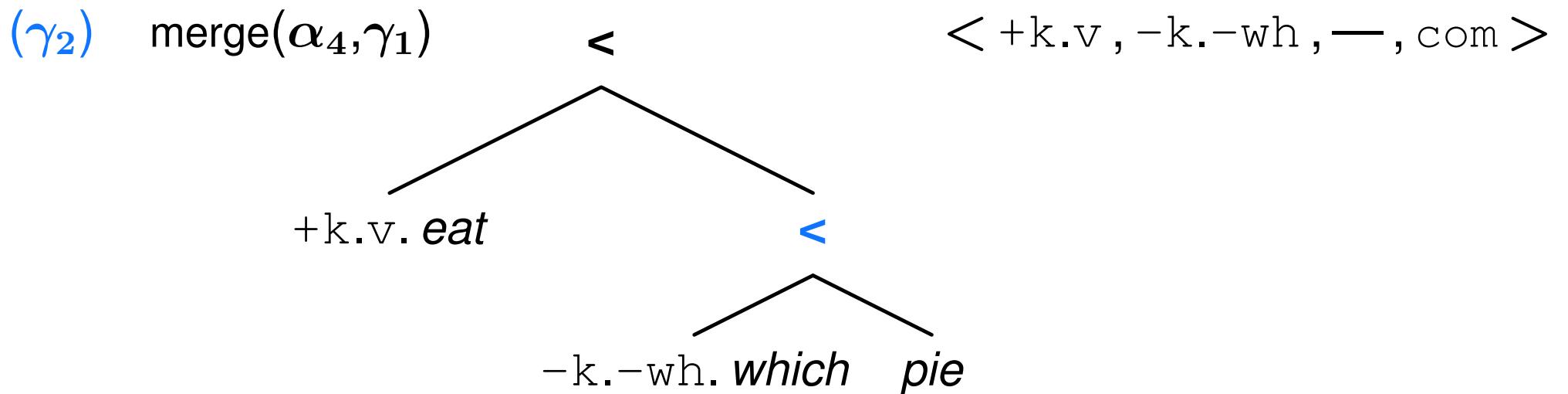
(α_4) =d.+k.v.eat < =d.+k.v.-k.-wh , — , — , sim >

MG-example 2

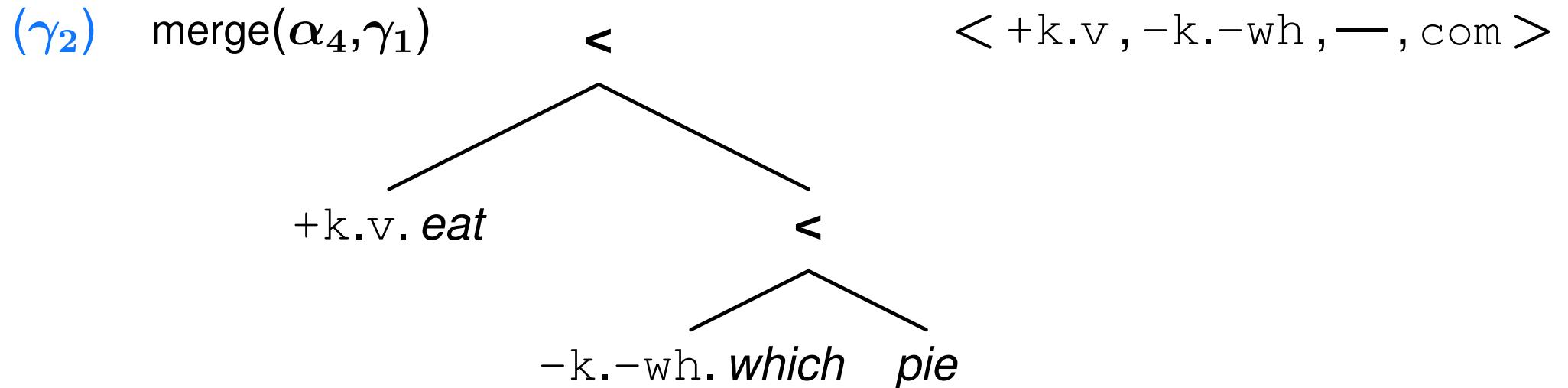


(α_4) =d.+k.v.eat 
 $=d.+k.v.$ eat

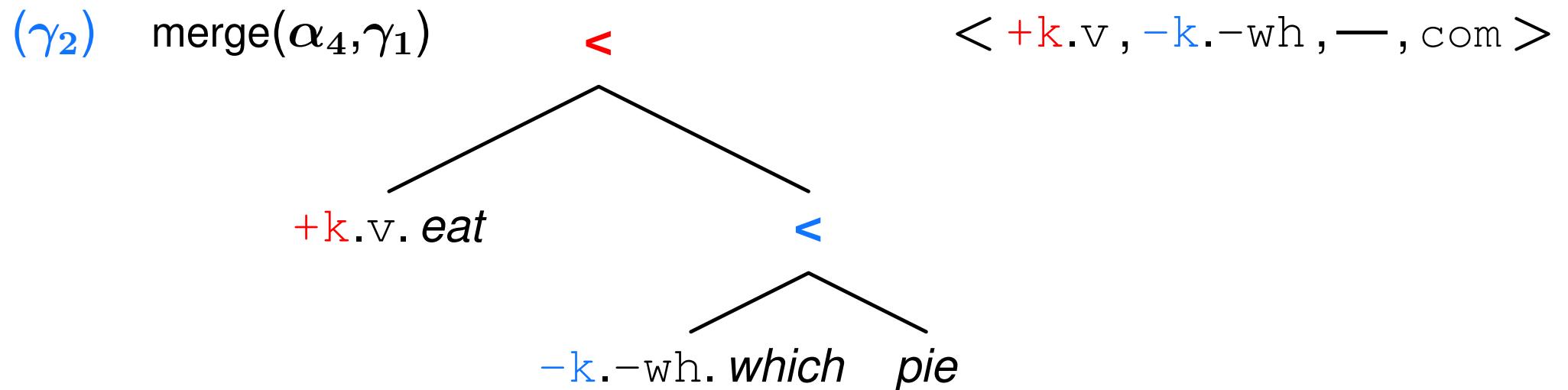
$< =d.+k.v.-k.-wh, —, —, \text{sim} >$



MG-example 2

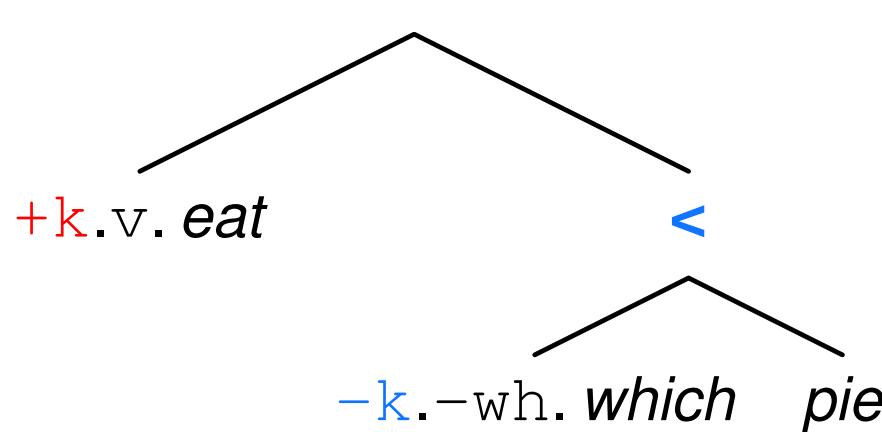


MG-example 2

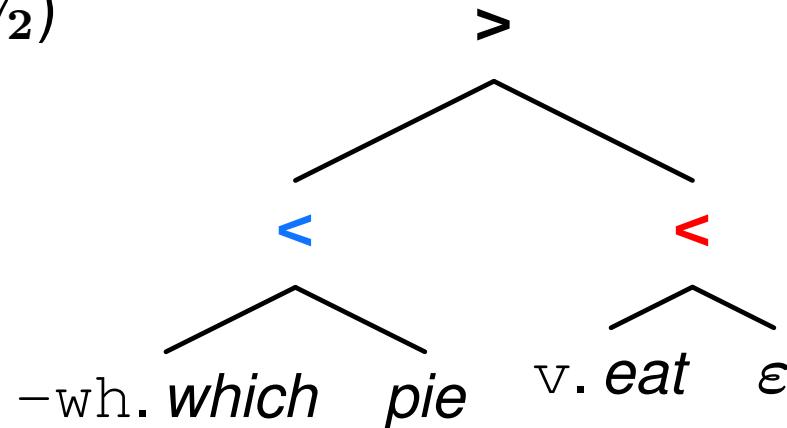


MG-example 2

(γ_2) $\text{merge}(\alpha_4, \gamma_1)$ $< +k.v, -k.-wh, —, \text{com} >$



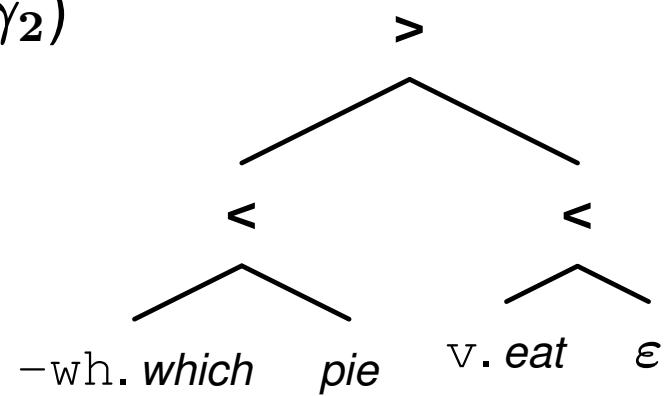
(γ_3) $\text{move}(\gamma_2)$ $< v, —, -wh, \text{com} >$



MG-example 2

$(\gamma_3) \quad \text{move}(\gamma_2)$

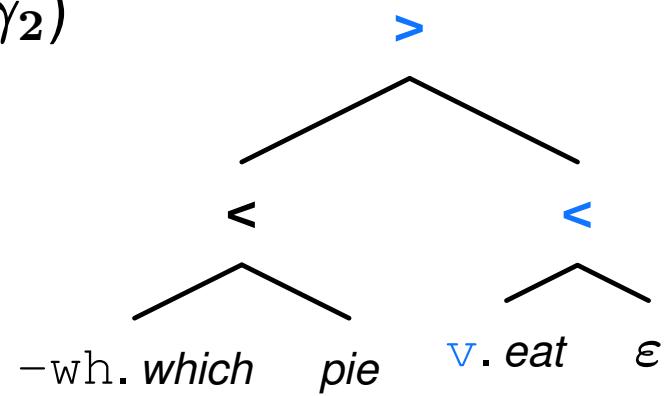
$\langle \text{v}, \text{—}, \text{-wh}, \text{com} \rangle$



MG-example 2

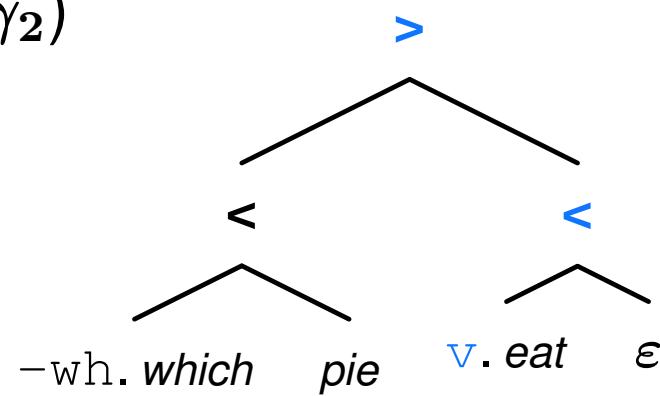
$(\gamma_3) \quad \text{move}(\gamma_2)$

$\langle \text{v}, \text{—}, \text{-wh}, \text{com} \rangle$



MG-example 2

(γ_3) move(γ_2)



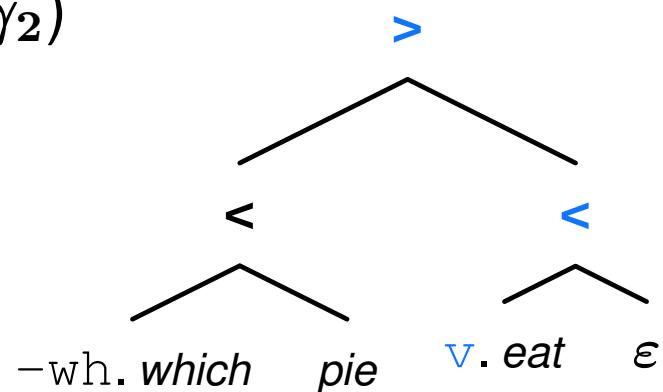
< v , — , -wh , com >

(α_3) $=\text{v}.\text{=d.}\tilde{\text{v}}.\emptyset$

< $=\text{v}.\text{=d.}\tilde{\text{v}}$, — , — , sim >

MG-example 2

$(\gamma_3) \text{ move}(\gamma_2)$

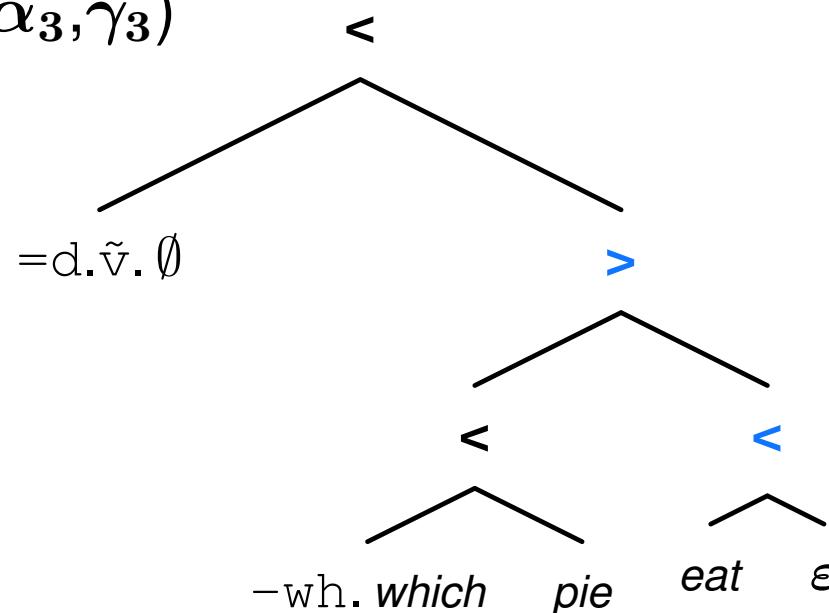


$\langle \text{v}, —, -\text{wh}, \text{com} \rangle$

$(\alpha_3) \text{ =v.=d.} \tilde{v}. \emptyset$

$\langle \text{=v.=d.} \tilde{v}, —, —, \text{sim} \rangle$

$(\gamma_4) \text{ merge}(\alpha_3, \gamma_3)$



$\langle \text{=d.} \tilde{v}, —, -\text{wh}, \text{com} \rangle$

MG-example 2

(α_6) =n.d.-k. *the* <=n.d.-k, —, —, sim>

(α_8) n. *king* <n, —, —, sim>

MG-example 2

(α_6) $=n.d.-k.$ *the* $<=n.d.-k, \text{---}, \text{---}, \text{sim}>$

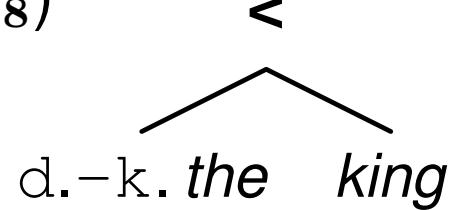
(α_8) $n.$ *king* $<n, \text{---}, \text{---}, \text{sim}>$

MG-example 2

(α_6) $=n.d.-k.\ the$ $<=n.d.-k, --, --, \text{sim}>$

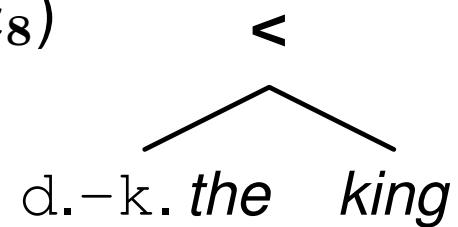
(α_8) $n.\ king$ $<n, --, --, \text{sim}>$

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$ $<d.-k, --, --, \text{com}>$



MG-example 2

$(\gamma_5) \quad \text{merge}(\alpha_6, \alpha_8)$



$< \text{d.-k.}, \text{---}, \text{---}, \text{com} >$

MG-example 2

(γ_5) merge(α_6, α_8)

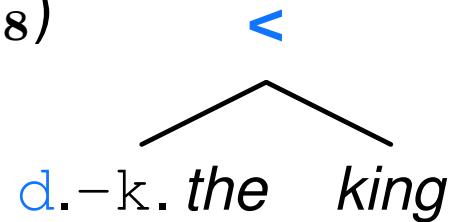
<

d.-k. *the* *king*

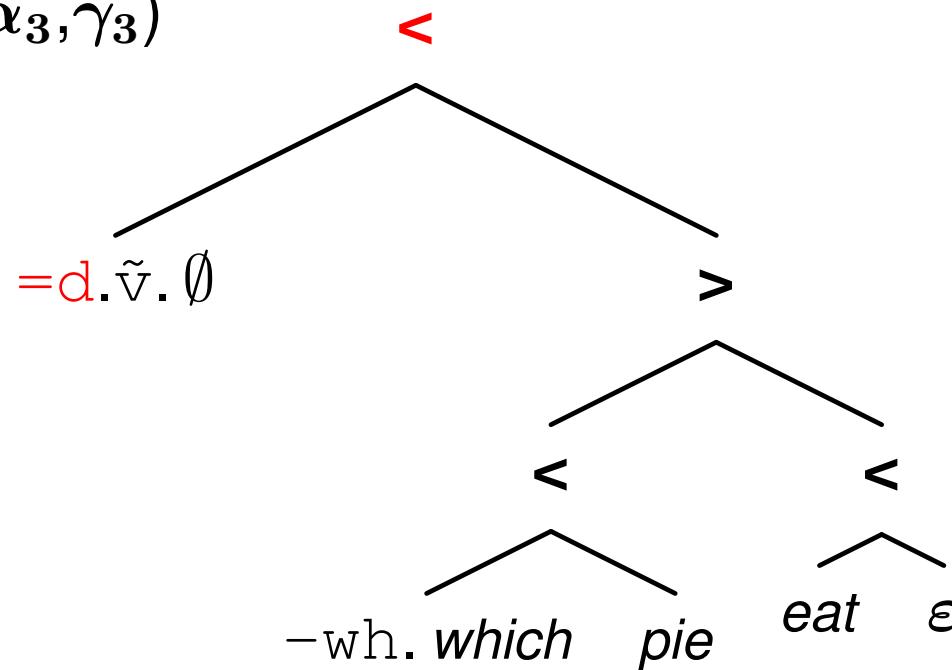
< d.-k , — , — , com >

MG-example 2

(γ_5) $\text{merge}(\alpha_6, \alpha_8)$ < d.-k , — , — , com >

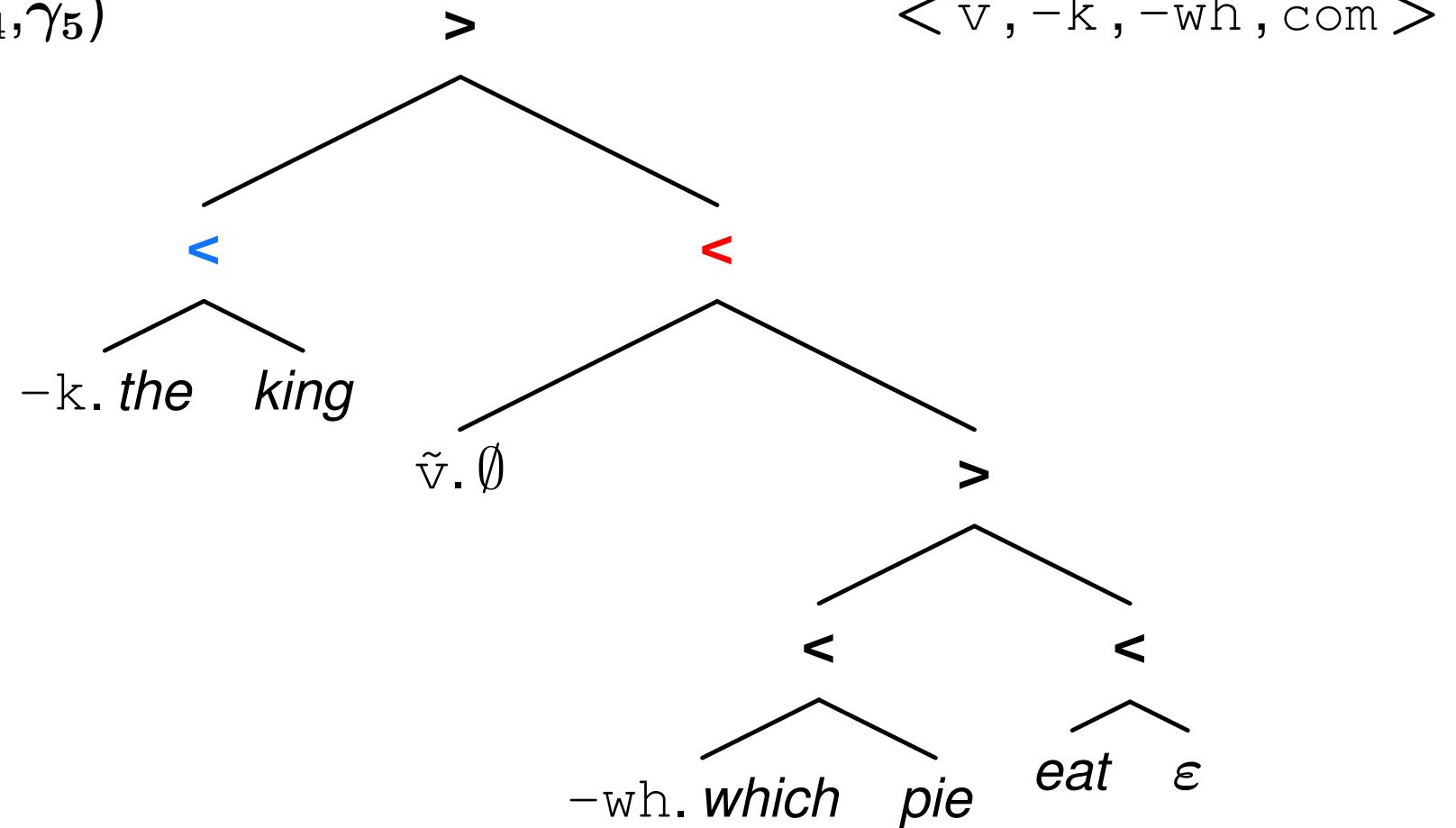


(γ_4) $\text{merge}(\alpha_3, \gamma_3)$



MG-example 2

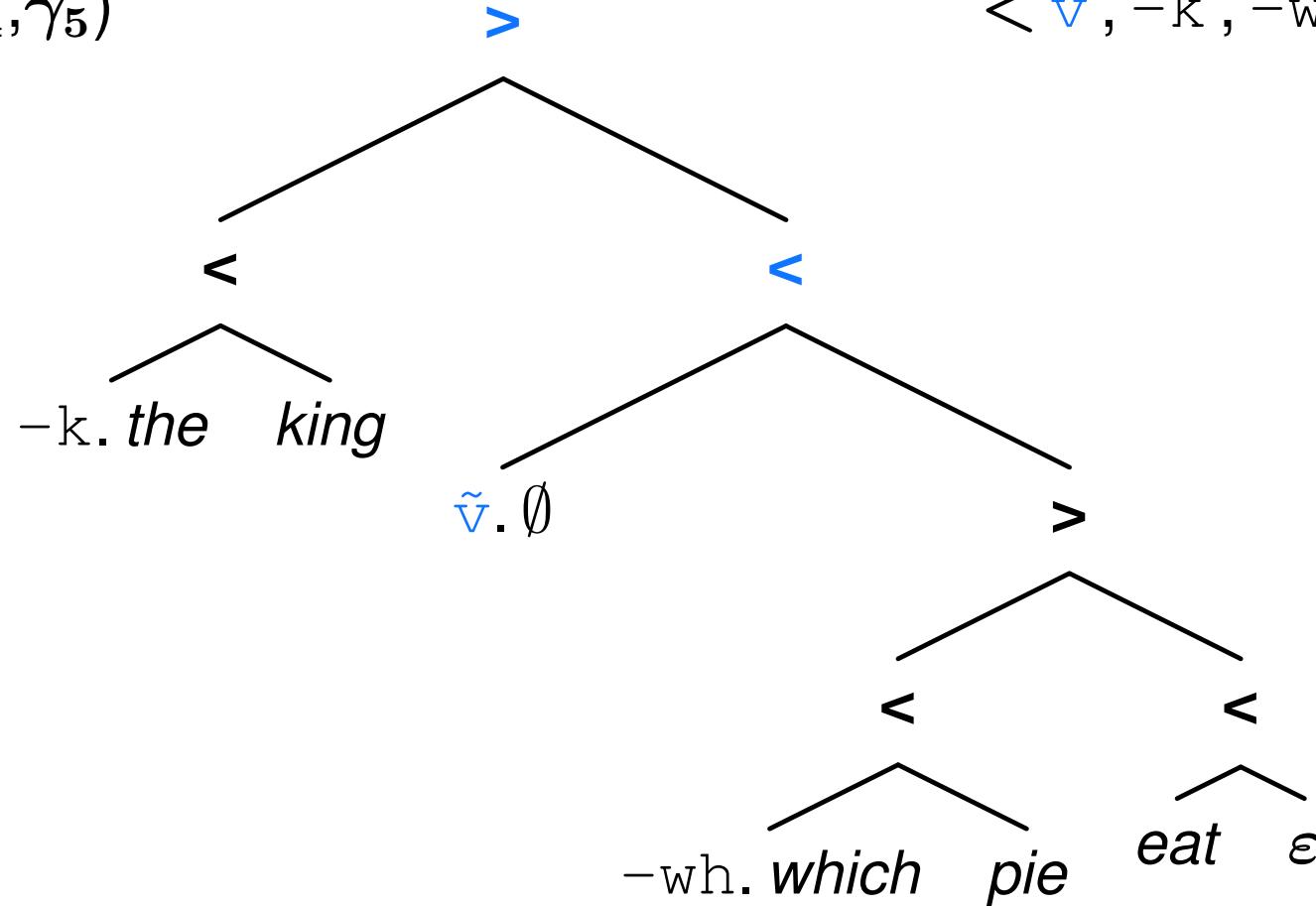
(γ_6) merge(γ_4, γ_5)



MG-example 2

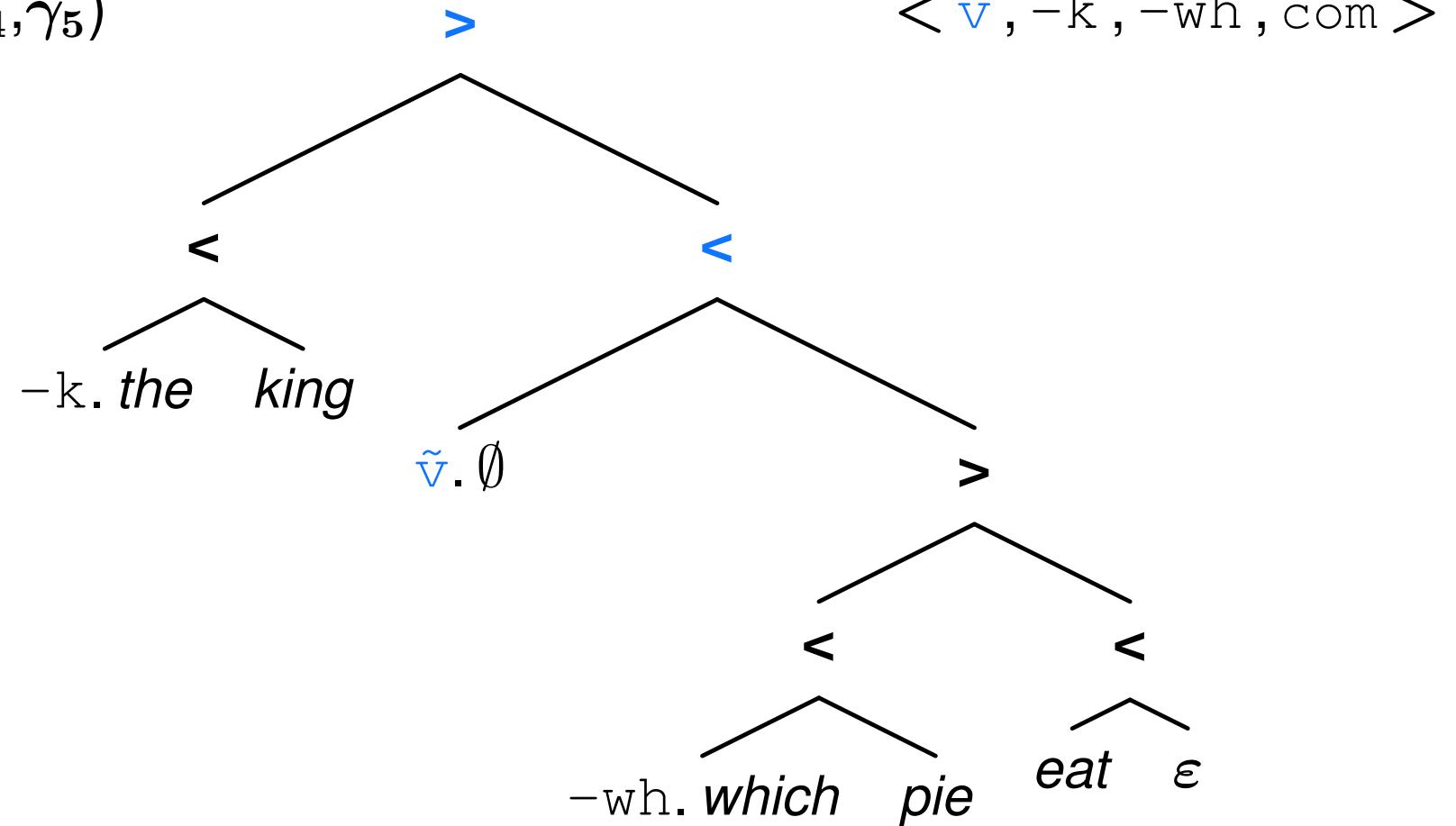
$(\gamma_6) \quad \text{merge}(\gamma_4, \gamma_5)$

$\langle \tilde{v}, -k, -wh, \text{com} \rangle$



MG-example 2

$(\gamma_6) \quad \text{merge}(\gamma_4, \gamma_5)$



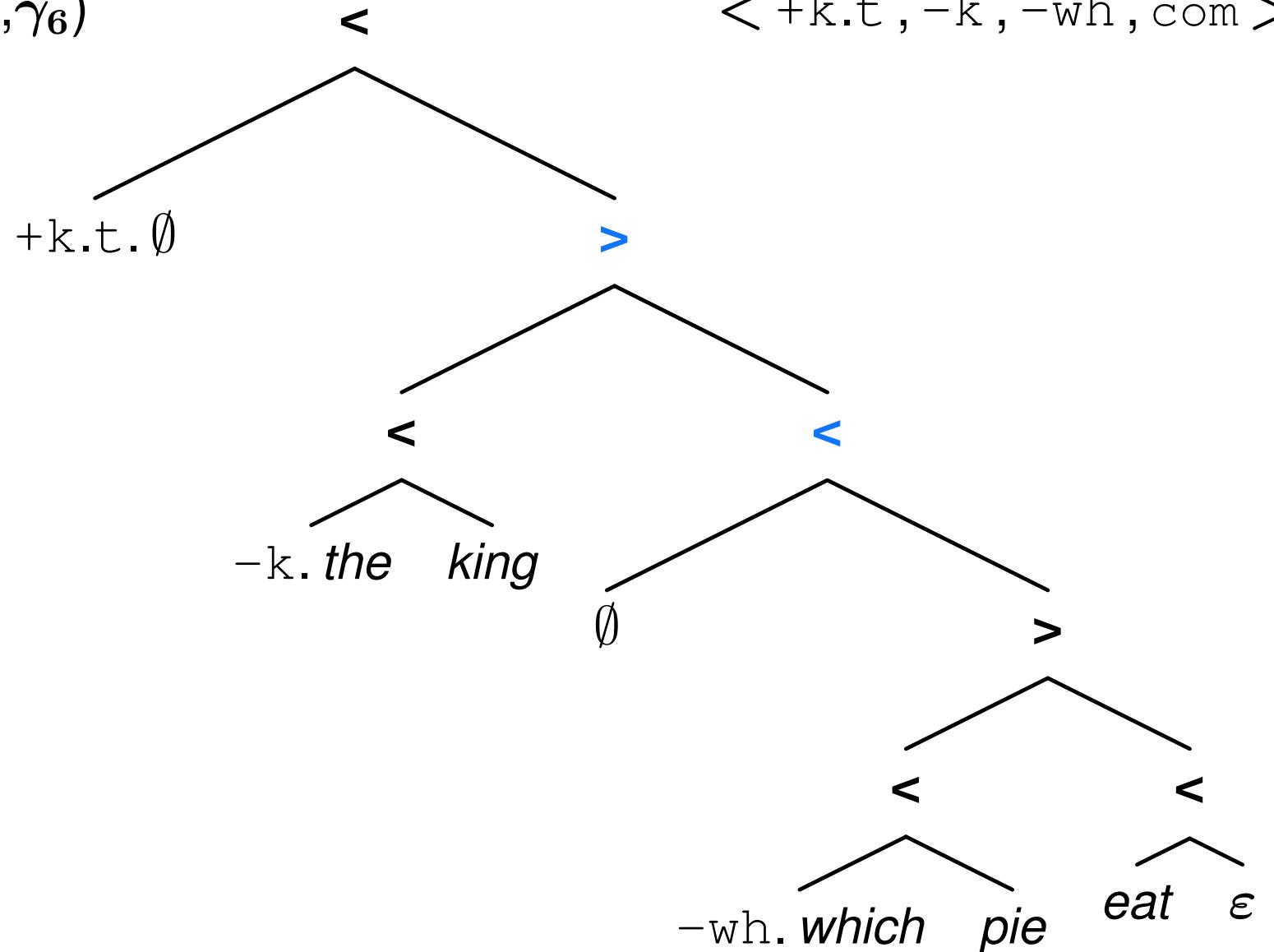
$(\alpha_2) \quad =\tilde{v}.+k.t.\emptyset$

$<=\tilde{v}.+k.t, -, --, \text{sim} >$

MG-example 2

(γ_7) $\text{merge}(\alpha_2, \gamma_6)$

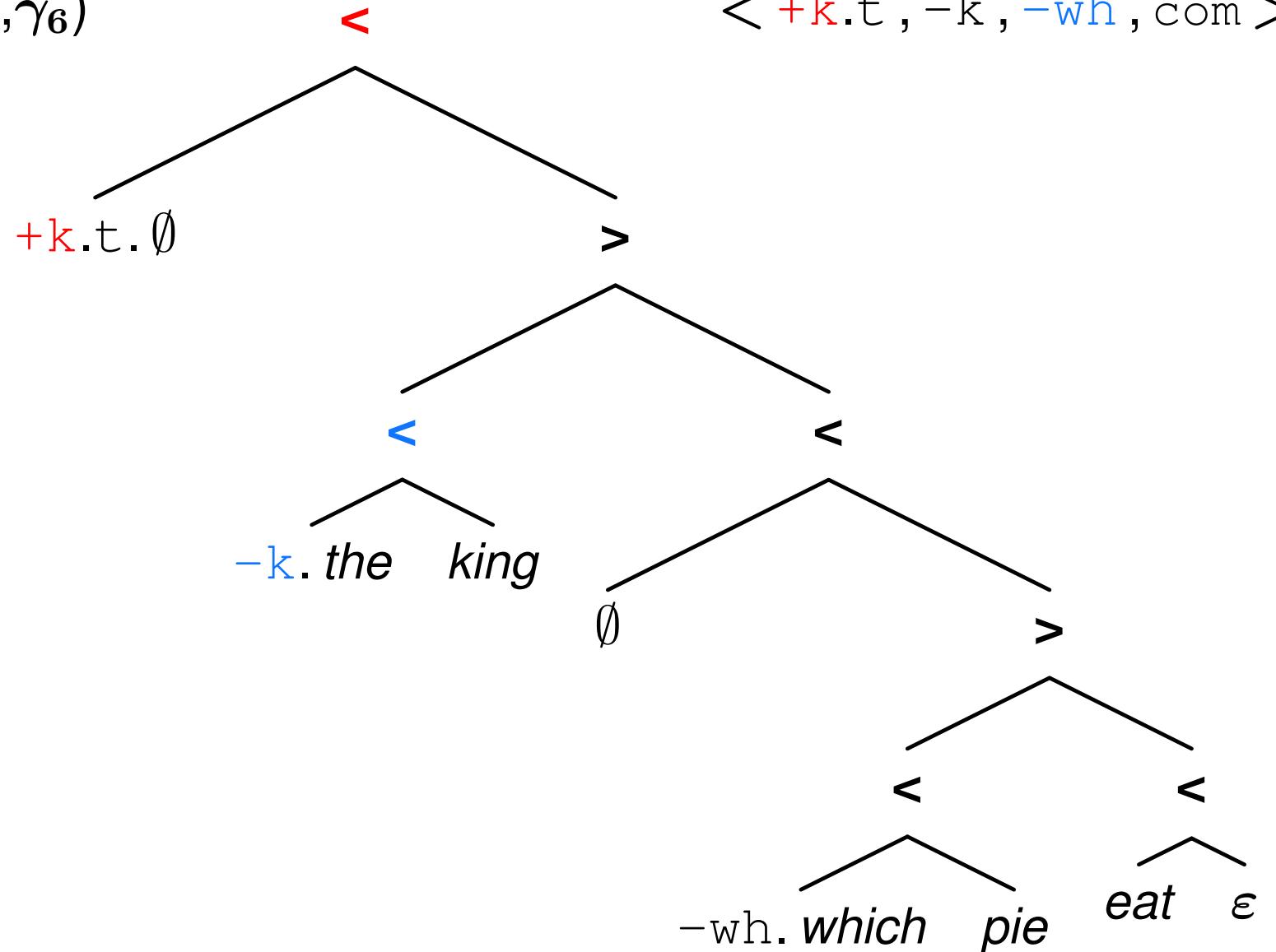
$< +k.t , -k , -wh , \text{com} >$



MG-example 2

(γ_7) $\text{merge}(\alpha_2, \gamma_6)$

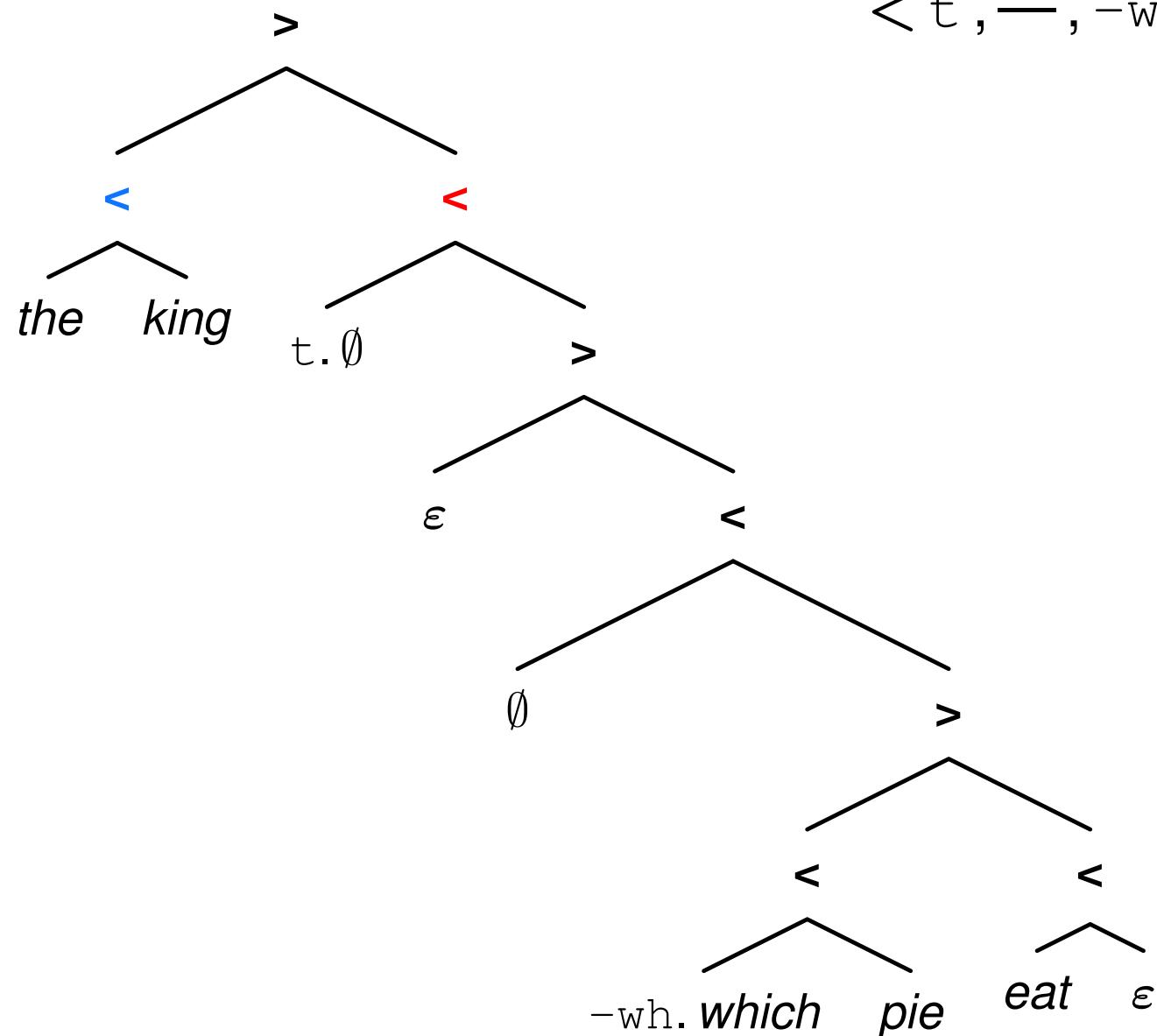
$< +k.t , -k , -wh , \text{com} >$



MG-example 2

(γ_8) move(γ_7)

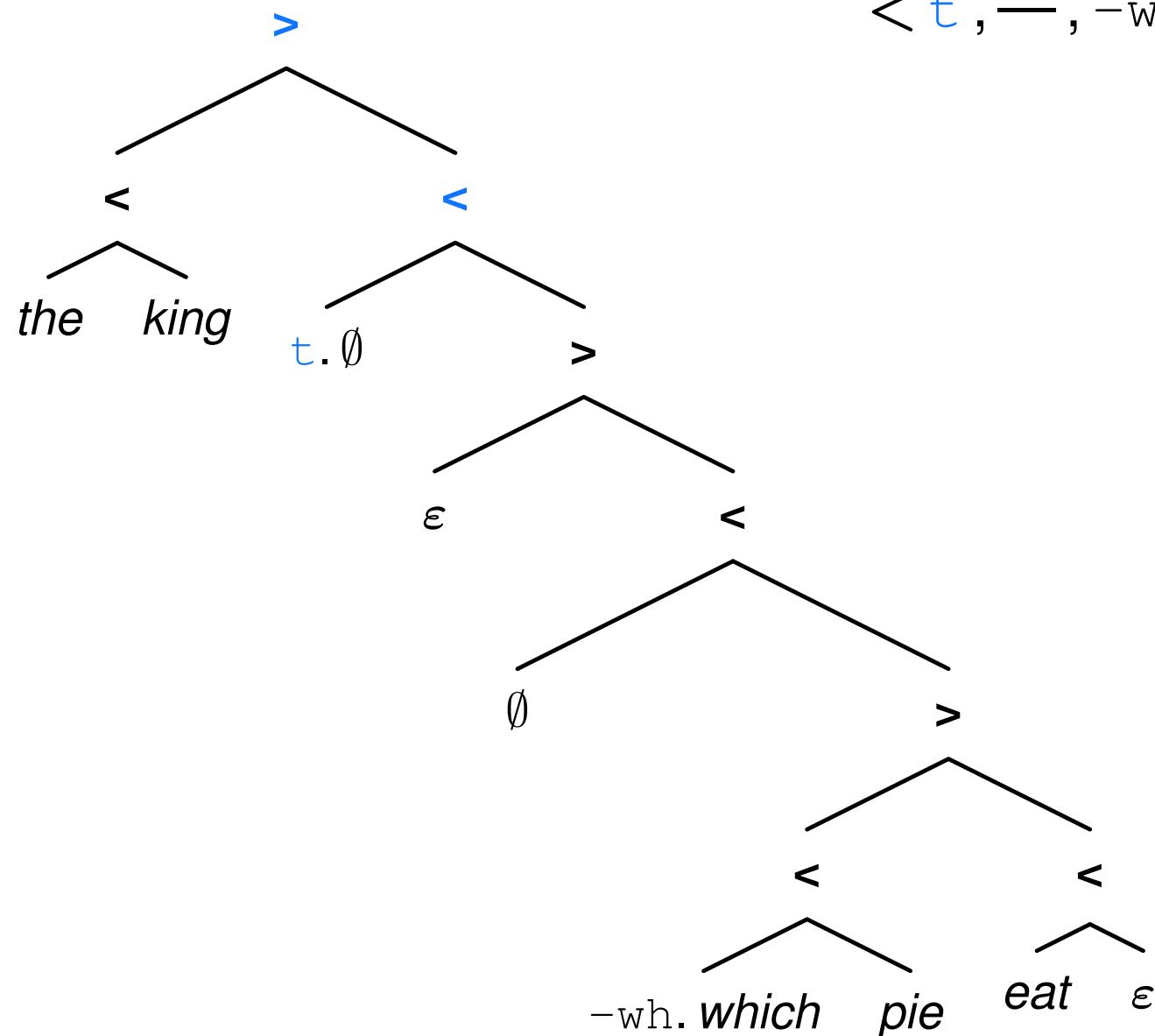
< t , — , -wh , com >



MG-example 2

$(\gamma_8) \text{ move}(\gamma_7)$

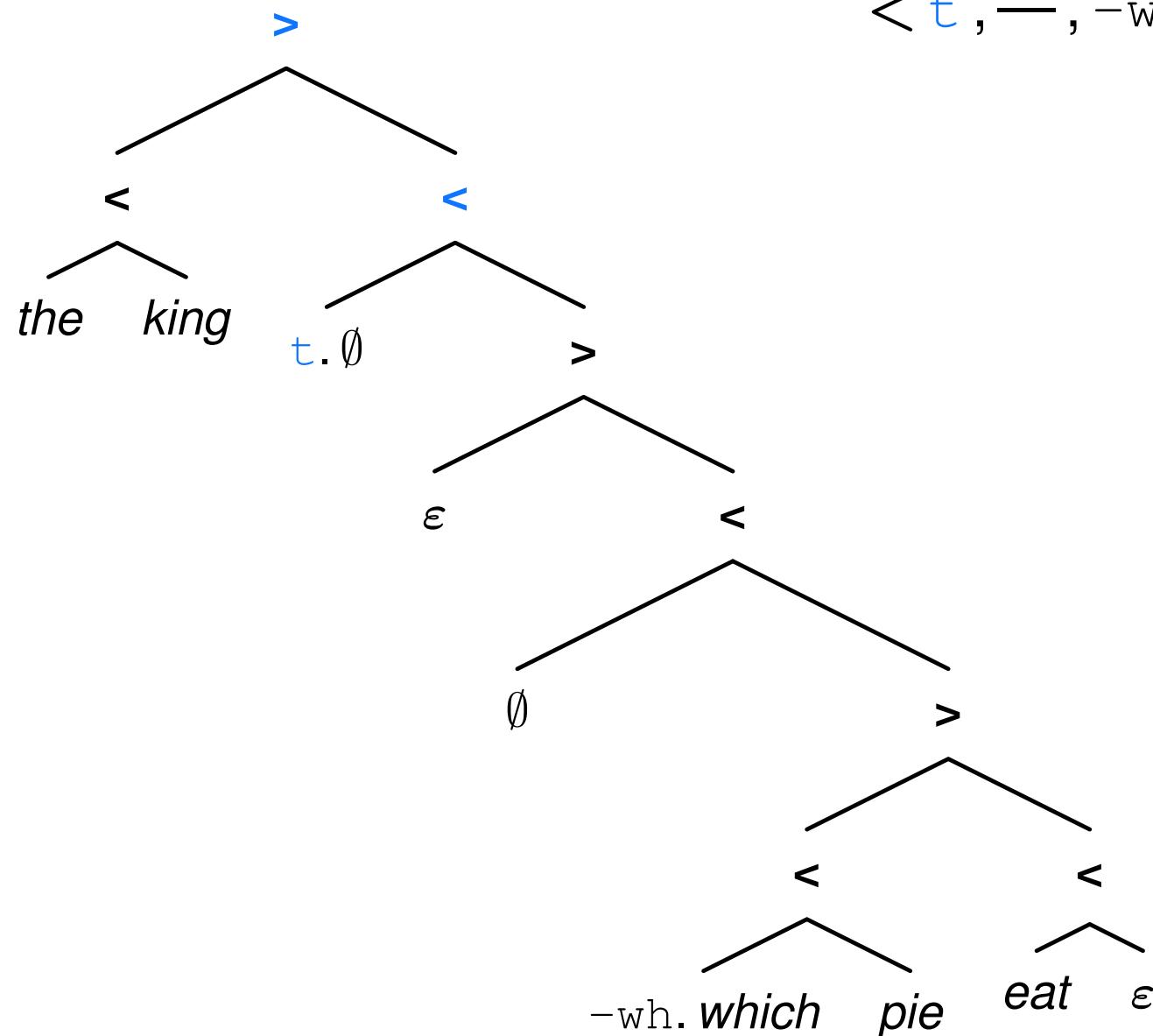
$\langle t, —, -wh, com \rangle$



MG-example 2

$(\gamma_8) \text{ move}(\gamma_7)$

$\langle t, —, -wh, com \rangle$



$(\alpha_1) =t.+wh.c.\emptyset$

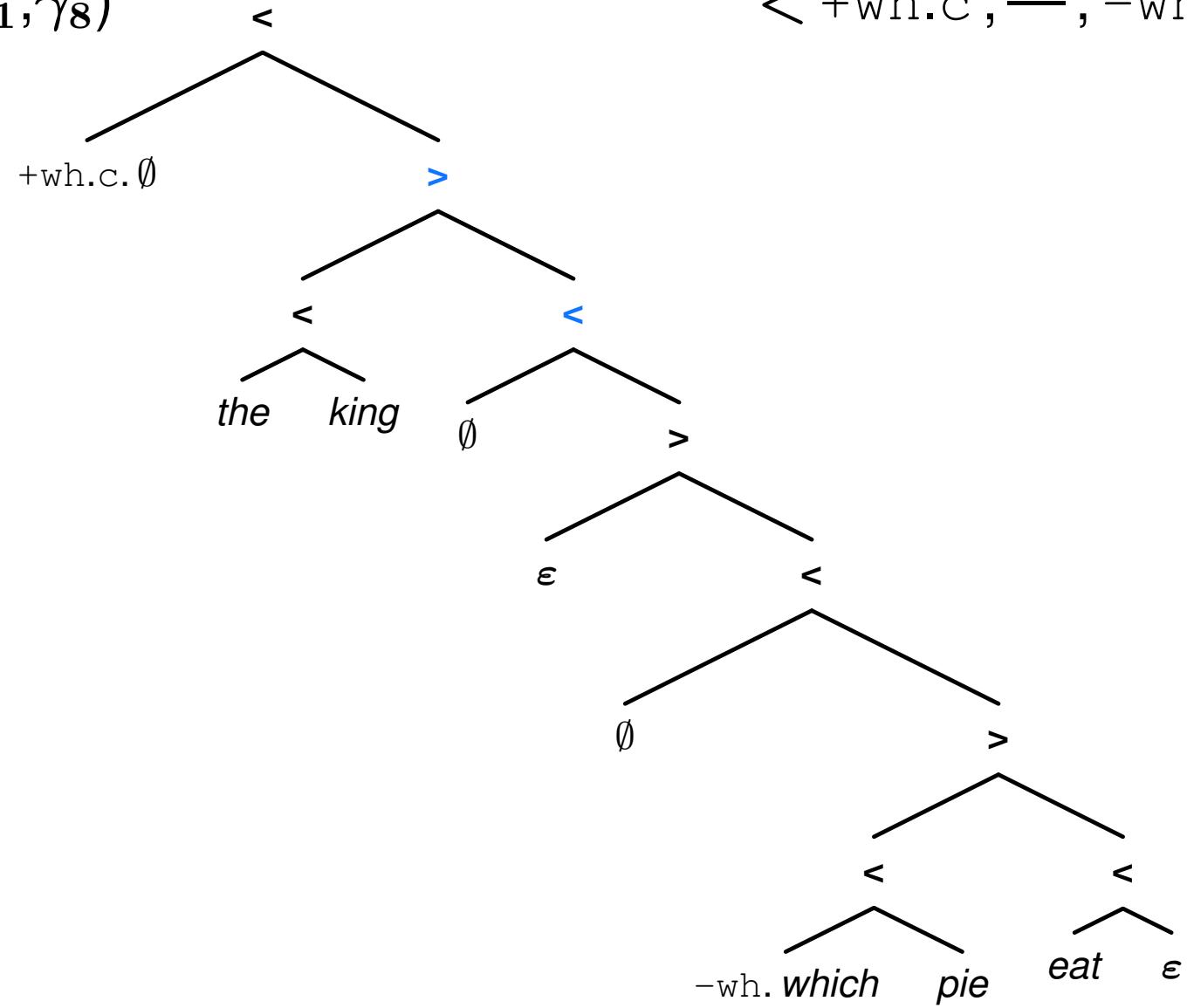
$\langle =t.+wh.c, —k, -wh, sim \rangle_{-p.42}$

MG-example 2

(γ_9)

merge(α_1, γ_8)

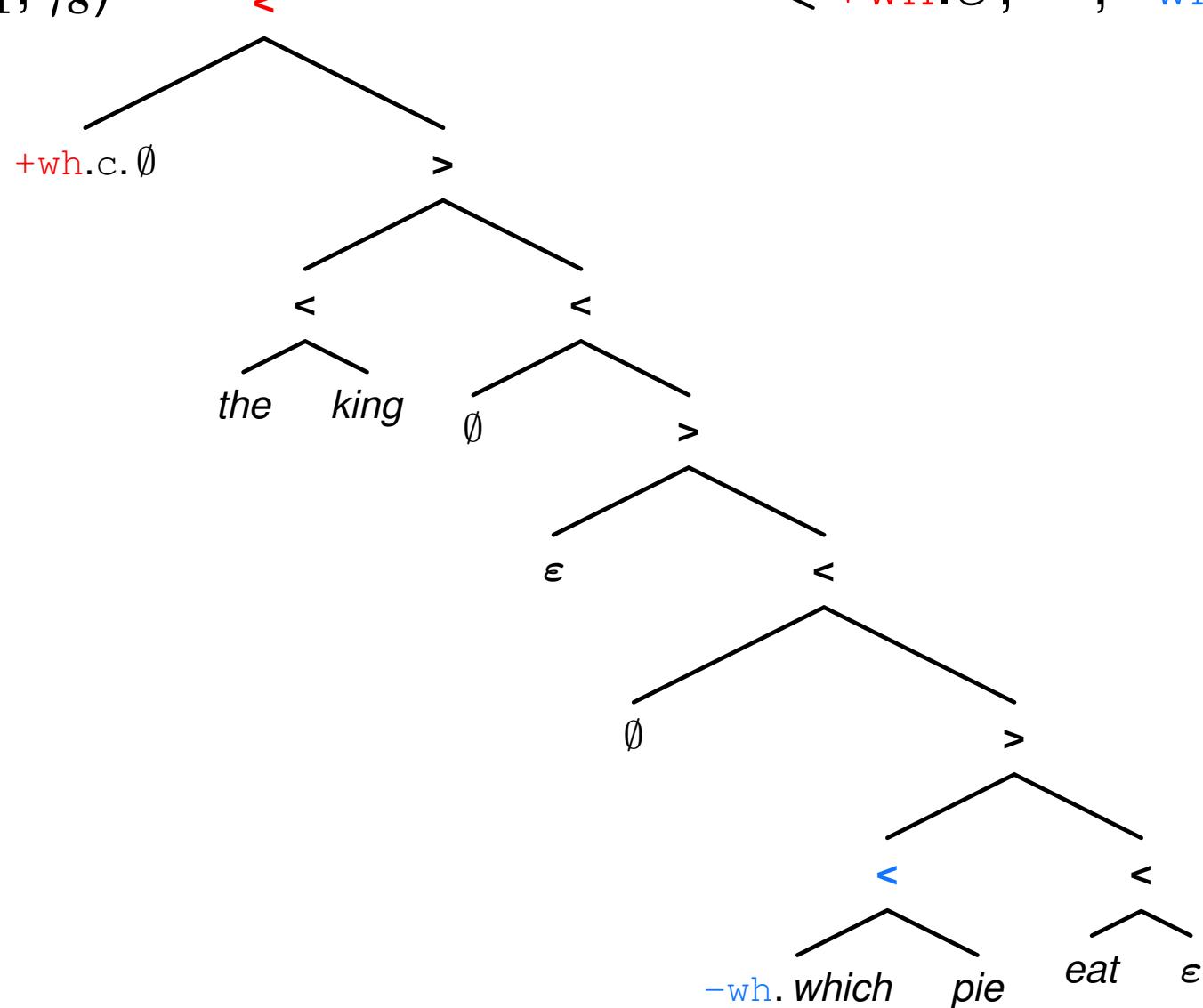
< +wh.c , — , -wh , com >



MG-example 2

$(\gamma_9) \text{ merge}(\alpha_1, \gamma_8)$

$< +\text{wh.c}, -, -\text{wh}, \text{com} >$



MG-example 2

(γ_{10}) move(γ_9)

< C , — , — , com >

